

Supplementary material

Table S1. Crystallographic data for monoclinic L-histidine

Camera length [mm]	874
$\Delta\phi$ [°/frame]	1
Number of frames	60
ϕ range [°]	-30 to +30
Space group	P2 ₁
Unit cell axes [Å]	
<i>a</i>	5.18
<i>b</i>	7.37
<i>c</i>	9.45
β [°]	98.43
Z	2
V [Å ³]	357
Resolution [Å]	5.79 – 0.70
Number of independent reflections	589
Completeness [%]	49.8
<i>I</i> / σ (<i>I</i>)	4.39
<i>CC</i> _{1/2} [%]	99
<i>R</i> _{meas} [%]	13.7

Table S2. R factors for His1-4

	His1	His2	His3	His4
R factor [%]	17.06	17.82	17.51	18.33

Table S3. Root mean square of atomic displacement during energy optimization and total energies for His1-4

	His1	His2	His3	His4
Root mean square of atomic displacement [Å]	0.062	0.513	1.609	0.664
Energy [Ry]	-405.42	-405.37	-405.36	-405.38

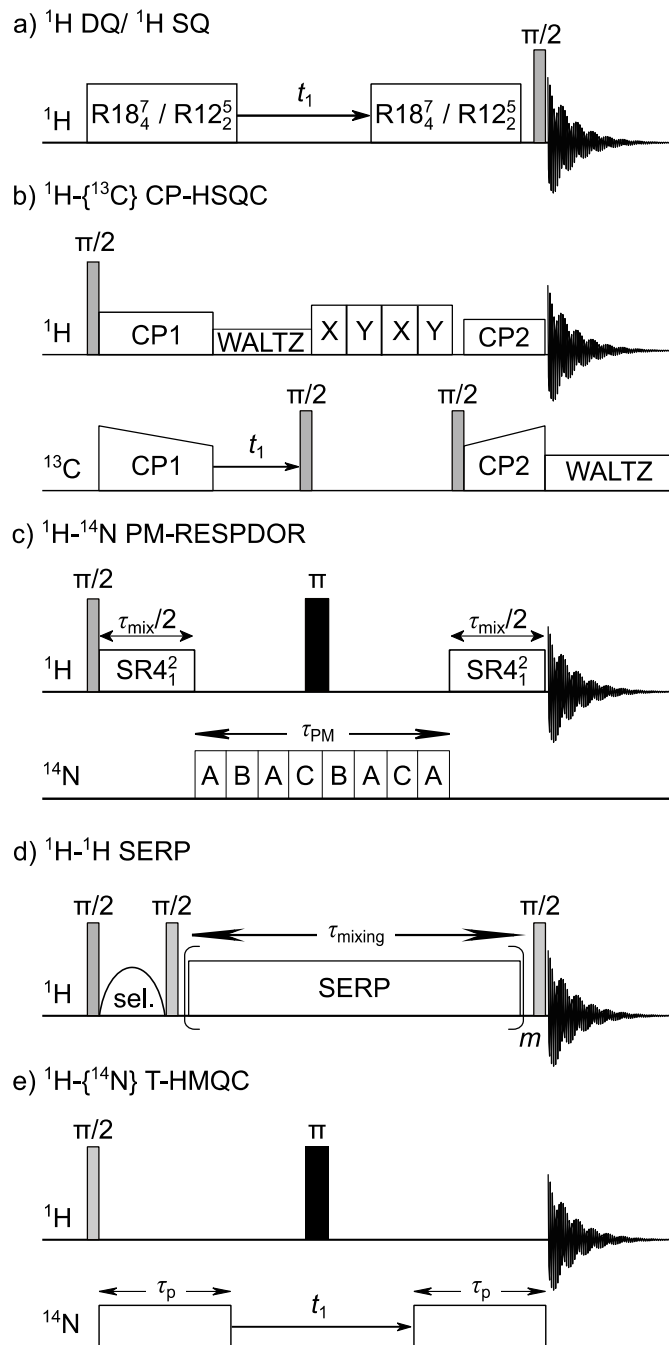


Figure S1. Pulse sequences for (a) 2D ^1H DQ/ ^1H SQ, (b) 2D $^1\text{H}\{-^{13}\text{C}\}$ CP-HSQC, (c) $^1\text{H}\text{-}^{14}\text{N}$ PM-RESPDOR, (d) $^1\text{H}\text{-}^1\text{H}$ SERP, and (e) 2D $^1\text{H}\{-^{14}\text{N}\}$ T-HMQC. For (a), R18_4^7 or R12_2^5 are used to excite and reconvert the ^1H DQ coherences. For (c), the PM pulse is used to uniformly saturate the populations of ^{14}N nuclei. For (d), the Q3 Gaussian pulse is used to selectively invert a ^1H site of interest and m denotes the number of loop. The $^1\text{H}\text{-}^{14}\text{N}$ dipolar coupling is recovered by (b) SR4_1^2 lasting for τ_{mix} on ^1H channel or (e) long continuous wave pulse lasting for τ_p on ^{14}N channel. The grey and black rectangles denote the $\pi/2$ and π pulses, respectively.

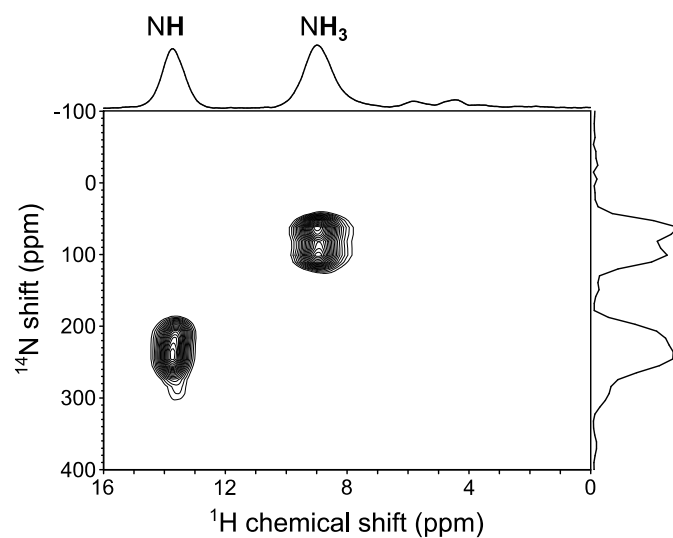


Figure S2. The 2D ^1H - $\{^{14}\text{N}\}$ T-HMQC experiment using the sequence in Figure S1e was performed at $B_0 = 16.4$ T and $\nu_R = 62.5$ kHz. The τ_p was 350 μs while the ^1H pulse lengths for $\pi/2$ and π pulses were 0.93 and 2.13 μs , respectively. The ^1H and ^{14}N offsets were 8 and -150 ppm, respectively. The 2D spectrum was recorded with 8 scans, 32 t_1 points, and rotor-synchronized t_1 increment of 16 μs . The recycling delay was 10 s. The experimental time was 1.4 hours. The States-TPPI method was employed for the quadrature detection along the indirect dimension.

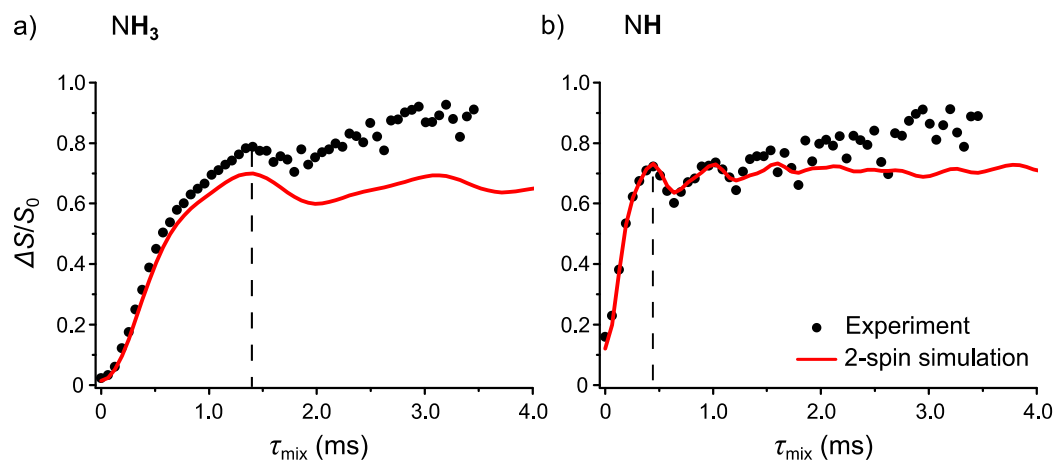
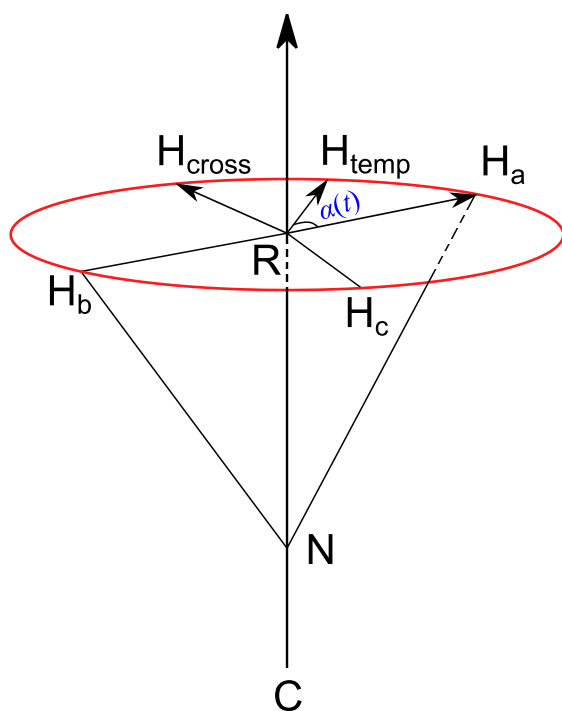


Figure S3. ^1H - ^{14}N PM-RESPDOR fraction curves: experiment (black circles) and ^1H - ^{14}N simulation (red line) for a) NH_3 and b) NH . The ^1H - ^{14}N dipolar coupling is numerically adjusted so that the τ_{mix} for the first maximum (dashed line) between experiment and simulation matches to each other.

a)



$$\vec{RH}_{cross} = \vec{NR} \times \vec{RH}_a$$

$$\vec{RH}_{temp} = \cos(\alpha(t)) \cdot \vec{RH}_a + \sin(\alpha(t)) \cdot \vec{RH}_{cross}$$

b)

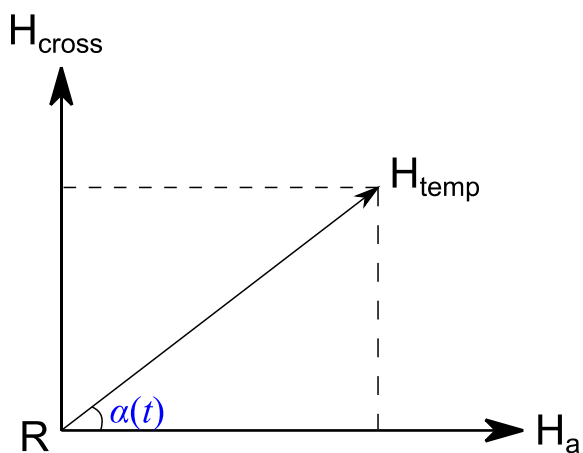


Figure S4. Schematic illustrations of calculating the temporal H position (H_{temp}) resulting from the rotation of three hydrogens H_a , H_b , and H_c in the a) three-dimensional and b) simplified two-dimensional space. The \vec{CN} vector crosses the plane ($H_aH_bH_c$) at the point R. The \vec{RH}_{cross} and \vec{RH}_{temp} vectors are defined by the mathematical at the upper right of the figure. The symbol $\alpha(t)$ denotes an angle as a variable of time between \vec{RH}_a and \vec{RH}_{temp} vectors.

From the microED-derived candidate structures, we can extract the C-NH₃ indices. We denote the three H atoms as H_a, H_b, and H_c. To determine the averaged H-N dipolar coupling, we follow these steps:

1. Determining the point R:

$$\overrightarrow{CN} \cap (H_a H_b H_c) = \{R\} \quad (S1)$$

2. Determining the vector $\overrightarrow{RH_{cross}}$:

$$\overrightarrow{RH_{cross}} = \overrightarrow{NR} \times \overrightarrow{RH_a} \quad (S2)$$

3. Determining the point H_{temp}:

$$\overrightarrow{RH_{temp}} = \cos(\alpha(t)) \overrightarrow{RH_a} + \sin(\alpha(t)) \overrightarrow{RH_{cross}} \quad (S3)$$

, where $\alpha(t)$ is an angle between $\overrightarrow{RH_a}$ and $\overrightarrow{RH_{ave}}$ vectors, ranging from 0 to 2π . From the $\overrightarrow{RH_{ave}}$ vector, we can calculate the indices of H_{temp}, which is a function of the angle $\alpha(t)$.

4. Determining the averaged H-N dipolar coupling:

$$\overline{b_{H-N}} = \frac{1}{2\pi} \int_0^{2\pi} \frac{120.1}{(d_{H_{temp}-N})^3} \cdot \frac{\gamma_{14N}}{\gamma_{1H}} d\alpha \quad (S4)$$

Note: this procedure only applies for non-bonded N atoms. For the covalently bonded N atom, the H-N dipolar coupling should be determined by simulations as shown in Figure S3.

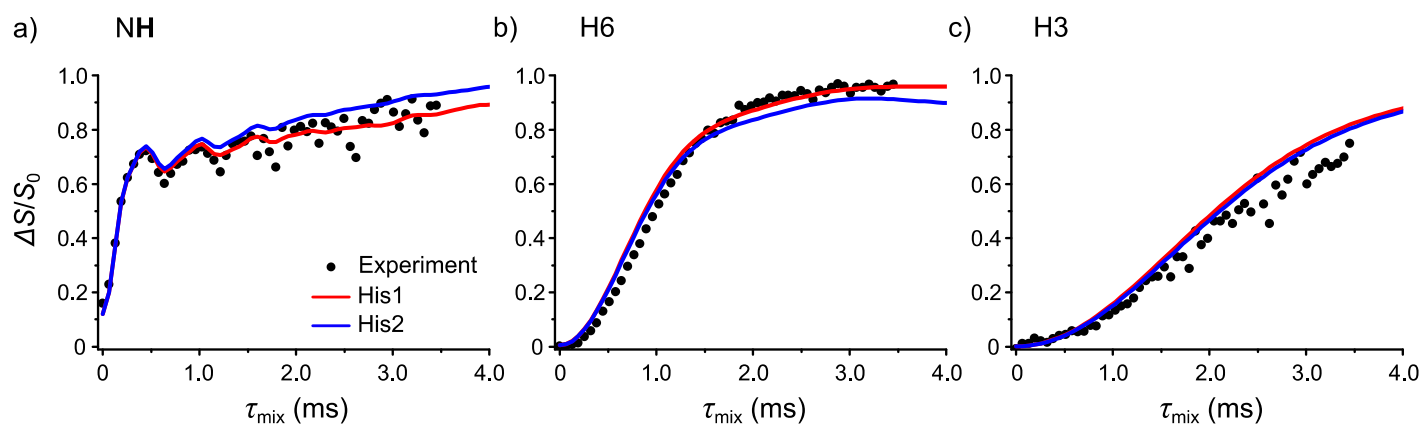


Figure S5. Comparison of the experimental ^1H - ^{14}N RESPDOR fraction curve (black circles) with the simulated curves from His1 (red), His2 (blue) for a) NH, b) H6, and c) H3. For a, the dipolar coupling of covalent H–N bond was taken from the two-spin simulation in Figure S3b.

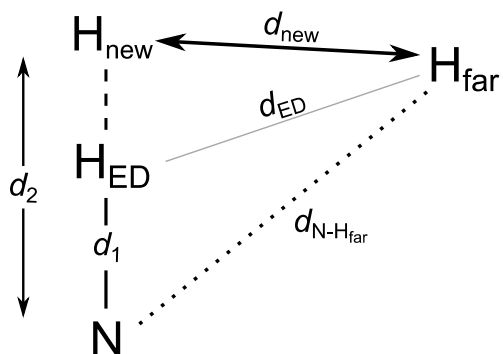


Figure S6. The schematic illustration to re-calculate the ^1H - ^1H distance of interest, here $\text{H}_{\text{new}}\text{-H}_{\text{far}}$ pair based on the new $d_{\text{N-H}_{\text{new}}}$ derived from ^1H - ^{14}N PM-RESPDOR experiment.

From the N-H_{new} distance taken from ^1H - ^{14}N PM-RESPDOR experiment, we can locate the position of H_{new} . Hence, the $\text{H}_{\text{new}}\text{-H}_{\text{far}}$ distance needs to be recalculated for the input of SERP simulations. As $^1\text{H}_{\text{ED}}$, $^1\text{H}_{\text{new}}$, N , and H_{far} , are in the same plane, we can apply an equation relating the sides of a triangle with an angle:

$$\frac{(d_1)^2 + (d_{\text{N-H}_{\text{far}}})^2 - (d_{\text{ED}})^2}{2 \cdot d_1 \cdot d_{\text{N-H}_{\text{far}}}} = \frac{(d_2)^2 + (d_{\text{N-H}_{\text{far}}})^2 - (d_{\text{new}})^2}{2 \cdot d_2 \cdot d_{\text{N-H}_{\text{far}}}} \quad (\text{S5})$$

Simplifying and rearranging the equation, we can yield the refined $r_{1\text{H-}^{35}\text{Cl}}$:

$$\frac{(d_1)^2 + (d_{\text{N-H}_{\text{far}}})^2 - (d_{\text{ED}})^2}{d_1} = \frac{(d_2)^2 + (d_{\text{N-H}_{\text{far}}})^2 - (d_{\text{new}})^2}{d_2} \quad (\text{S6})$$

$$\Rightarrow d_{\text{new}} = \sqrt{(d_2)^2 + (d_{\text{N-H}_{\text{far}}})^2 - \frac{d_2}{d_1} \cdot [(d_1)^2 + (d_{\text{N-H}_{\text{far}}})^2 - (d_{\text{ED}})^2]} \quad (\text{S7})$$

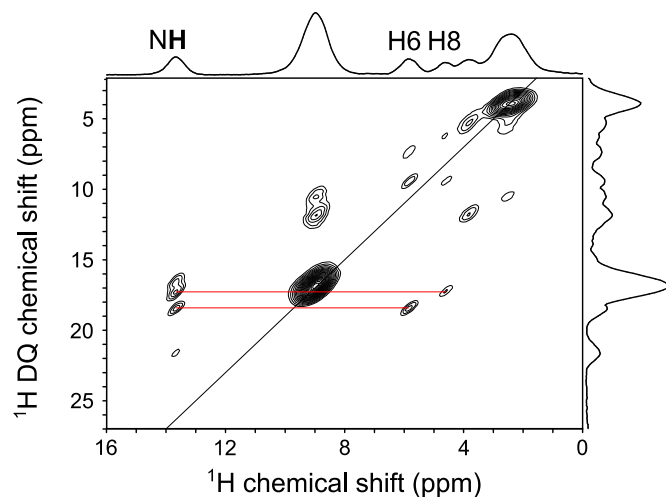


Figure S7. The 2D ^1H DQ/ ^1H SQ R12_2^5 experiment using the sequence in Figure S1a was performed at $B_0 = 16.4$ T and $\nu_R = 70$ kHz. The R12_2^5 DQ homonuclear recoupling sequence was used to excite and reconvert the ^1H DQ coherences. The NH-H6 and NH-H8 correlations are highlighted by two horizontal lines. The $\nu_{1\text{H}}$ was 210 kHz for R12_2^5 and 281 kHz for the read-pulse of $0.89 \mu\text{s}$. The R12_2^5 mixing time was $57.1 \mu\text{s}$. Before the read-pulse, the 0.5 ms z-filter was employed to suppress residual transversal magnetization. The 2D ^1H DQ/SQ spectrum was recorded with 4 scans, 64 t_1 points, and rotor-synchronized t_1 increment of $57.1 \mu\text{s}$. The recycling delay was 10 s. The experimental time was 1.4 hours. The States-TPPI method was employed for the quadrature detection along the indirect dimension.

Cross-verification with quantum chemical calculation

We additionally performed GIPAW chemical shift calculation for ^1H , ^{13}C , and ^{15}N (cal. δ_{iso}) for His1-4. Figure S8 shows the comparison of the ^1H (a), ^{13}C (b), and ^{15}N (c) experimental (exp. δ_{iso}) and calculated (cal. δ_{iso}) chemical shifts for His1-4.

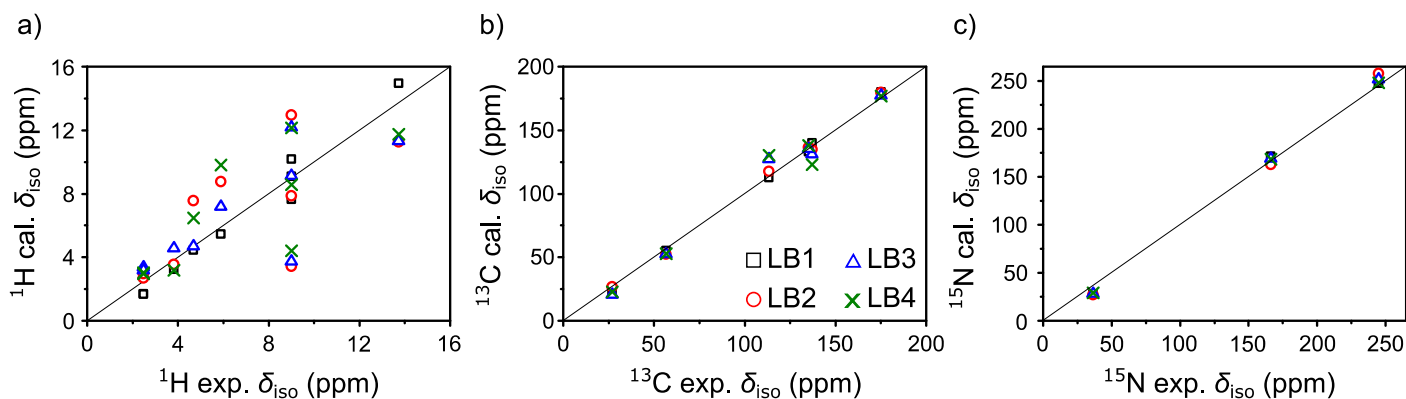
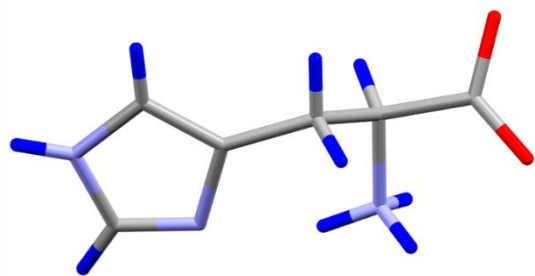


Figure S8. Comparison of the experimental chemical shifts with the calculated values by GIPAW for His1 (black squares), His2 (red circles), His3 (blue triangles), and His4 (green crosses) for a) ^1H , b) ^{13}C , and c) ^{15}N .

Table S4. The root mean square deviation value between experimental and calculated chemical shifts for His1-4

	^1H (ppm)	^{13}C (ppm)	^{15}N (ppm)
His1	0.61	3.20	6.22
His2	1.68	3.26	9.46
His3	1.51	7.03	6.48
His4	1.69	9.46	4.77

a) His1



b) XRD-based His

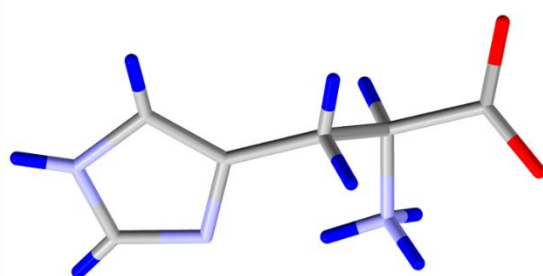


Figure S9. Comparison of the a) His1 structure with b) the XRD-based structure.