

A Novel Multi-Angle SAR Imaging System and Method Based on an Ultrahigh Speed Platform

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Abstract: Considering the difficulty of pulse repetition frequency (PRF) design in multi-angle SAR when using ultra-high speed platforms, a multi-angle SAR imaging system in a unified coordinate system is proposed. The digital multi-beamforming is used in the system and multi-angle SAR data can be obtained in one flight. Therefore, the system improves the efficiency of data recording. An improved range migration algorithm (RMA) is used for data processing, and imaging is made in a unified imaging coordinate system. The resolution of different view images is the same, and there is a fixed delay between the images. On this basis, the SAR image fusion is performed after image matching. The results of simulation and measured data confirm the effectiveness of the system and the method.

Keywords: SAR imaging; multi-angle SAR; improved RMA; SAR image fusion

1. Introduction

Synthetic Aperture Radar (SAR) imaging is able to work day and night under all weather conditions [\[1\]](#page-15-0). Therefore, it has wide applications in topographic mapping, environmental monitoring and information acquisition, but the electromagnetic scattering property of a complex object varies with incidence angle [\[2\]](#page-15-1). In order to meet requirements of omnidirectional observation, it is necessary to implement new research on SAR imaging systems. The multi-angle SAR imaging system has attracted considerable attention [\[2](#page-15-1)[–8\]](#page-15-2).

The electromagnetic scattering property varies with incidence, so the SAR imaging is greatly affected by the incidence angle [\[3\]](#page-15-3). When the target is observed from one angle, since it is occluded, or the scattering coefficient of the angle is low, the complete information of the target cannot be obtained, but multi-angle SAR observes the target from different angle, and it can obtain as much information as possible about the target. The current multi-angle SAR includes spotlight SAR [\[4\]](#page-15-4), wide azimuth beam SAR [\[5\]](#page-15-5) and multiple flight paths SAR [\[6\]](#page-15-6) In the spotlight SAR, the antenna is steered to increase extend the synthetic time and to observe targets from different angles. In this mode, the azimuth bandwidth of the signal may greater than the PRF, which causes spectrum ambiguity and makes signal processing more complicated [\[4\]](#page-15-4). The spotlight SAR expands observation angle but reduces the imaging scope. When using an ultra-high speed platform, the azimuth bandwidth of the signal becomes large, and a very large PRF is required. The wide beam angle SAR increases the beam width and obtains echoes of targets from different angles. The wide beam SAR increase the imaging scope, but the two-dimensional spectrum is a sector. This means increased range cell migration (RCM) and severe coupling of range and azimuth [\[5\]](#page-15-5). The error of range cell migration compensation in the frequency domain will affect the imaging accuracy. The back projection algorithm can completely compensate the RCM in time domain, but it needs a lot of calculations [\[7\]](#page-15-7). Multi angle observation

can be realized by multiple flight paths [\[6\]](#page-15-6), and a large imaging scope can be obtained, but the flight efficiency is low and the cost is high. can be reduced by mantple ingite parts for, and a high imaging scope can be obt

For the above problems, a new multi-angle SAR imaging system is proposed in this paper. Digital For the above problems, a new multi-angle SAR imaging system is proposed in this paper. multi-beamforming is used to obtain SAR data from different angles. The digital T/R modules are
divided into the multi-beamforming is used to obtain SAR data from different angles. The digital T/R modules ar divided into three groups and three sets of receiving feeders are used to obtain the multi-beam signals in the time domain. On this basis, an improved RMA in a unified coordinate system is proposed.
Modified Stolt in squinted spectrum in squinted spectrum in squinted spectrum in squinted spectrum in squinted Modified Stolt interpolation was proposed to correct the distorted spectrum in squinted SAR and improvement in a uniform coordinate spectrum. Then, in a uniform coordinate spectrum in a uniform coordinate spectrum in a uni improve the efficiency of the spectrum. Then, imaging is performed in a uniform coordinate system.
The imaging is translational relationship in a translation of different views on the intervention of the inter The images of different views only have a translational relationship in azimuth, which can achieve fast multimatching of multi-angle images. This multi-angle SAR is not required to adjust the antenna direction, nor large beam angle, which reduces the equipment requirements. SAR data from different angles can be obtained in one flight, which reduces experimental costs. Digital multi-beamforming, a new many angles of its multiple system is proposed in this paper. Digital T/R model

2. A Multi-angle SAR Imaging System and Signal Model on a High-Speed Platform 2. A Multi-angle SAR Imaging System and Signal Model on a High-Speed Platform

As shown in Figure [1,](#page-1-0) the multi-angle SAR imaging system proposed in this paper adopts the As shown in Figure 1, the multi-angle SAR imaging system proposed in this paper adopts the digital multi-beamforming, which uses the same antenna to form multiple beams. The squint angles of three beams are different. The date of forward-looking beam, side-looking beam and backward-looking beam are recorded simultaneously, and the data received by each channel are independent from each other.

Figure 1. Model of multi-angle SAR imaging system.

Figure 1. Model of multi-angle SAR imaging system. *2.1. Digital Multi-Beamforming*

2.1. Digital Multi-Beamforming separate multi-beam data in the Doppler domain, the other way is using multiple sets of feeders to obtain multi-beam data in time domain. When multi-beam data is separated in the Doppler domain, the Doppler bandwidth of the multi-beam signal is large. To prevent spectrum aliasing, a large PRF is required. Reference [8] gives a desig[n t](#page-15-2)o reduce the PRF, and the PRF is the sum of the Doppler bandwidth of multi-beam signals, but the method limits beam pointing. In addition, when using the ultrahigh speed platform, the Doppler bandwidth of the multi-beam signal becomes large. As a result, a large PRF is required. As shown in Figure 2, the multi-angle SAR imaging system proposed in this paper uses three sets of receiving feeders and the digital T/R modules are divided into three groups, each with independent receiving feeder and phase shifter. The multi-beam data are separated in the time domain. Thus, the PRF is equal to the Doppler bandwidth of a single beam. At the same time, there is no restriction on the direction of the beam, and the required beam pointing can be set. When the scattering angles vary from 20° to $-20°$, the results of the imaging will be different [\[3\]](#page-15-3). In order to get as much information as possible in the scene, the difference in the direction of the three beams is at least $20°$. There are two ways to obtain multi-beam data. One way is using one set of receiving feeders to

Figure 2. Reception of digital multi-beamforming. **Figure 2.** Reception of digital multi-beamforming. **Figure 2.** Reception of digital multi-beamforming.

2.2. Signal Model

2.2. Signal Model beams as an example, in data collecting, the echo data of target $P_i(X_i, R_s)$ from forward-looking beam is firstly obtained. When the carrier is located at A , the forward-looking beam center points to the target P_i . At this time, the squint angle is θ , and the beam-width of forward-looking beam is θ_{BW1} . When θ_{BW1} is small, the Doppler bandwidth is approximately lata of target $P_i(X_i, R_s)$ from forward-looking beam
 A, the forward-looking beam center points to the

the beam-width of forward-looking beam is θ_{BW1} .

proximately
 $n(\theta - \frac{\theta_{BW1}}{2})$ $\approx \frac{2v}{\lambda} \cos \theta \cdot \theta_{BW1}$ (1) As shown in Figure [3,](#page-2-1) the speed of the carrier is *v* and the wavelength is *λ*. Taking the three *2.2. Signal Model* o data of target $P_i(X_i, R_s)$ from forward-looking beam
at *A*, the forward-looking beam center points to the
d the beam-width of forward-looking beam is θ_{BW1} .
pproximately
 $\sin(\theta - \frac{\theta_{BW1}}{2})$ $\approx \frac{2v}{\lambda} \cos \theta \cdot \theta_{BW1}$ (

$$
BW1 = \frac{2v}{\lambda} \left[sin(\theta + \frac{\theta_{BW1}}{2}) - sin(\theta - \frac{\theta_{BW1}}{2}) \right] \approx \frac{2v}{\lambda} cos \theta \cdot \theta_{BW1}
$$
 (1)

Figure 3. Multi-angle SAR signal model. **Figure 3.** Multi-angle SAR signal model. **Figure 3.** Multi-angle SAR signal model.

Then, the echo data of target P_i from a side-looking beam is obtained. When the aircraft is at B , the center of the side-looking beam points to the target P_i , the beam-width of side-looking beam is *BW* ² , and the Doppler bandwidth of side-looking beam is *BW* ² , and the Doppler bandwidth of side-looking beam is *θBW*2 , and the Doppler bandwidth of side-looking beam is

$$
BW2 = \frac{2v}{\lambda} \left[\sin(\frac{\theta_{BW2}}{2}) - \sin(\frac{\theta_{BW2}}{2}) \right] \approx \frac{2v}{\lambda} \theta_{BW2}
$$
 (2)

Finally, the echo data of target P_i from backward -looking beam is obtained. When the aircraft is at *C*, the center of the backward-looking beam points to the target *Pⁱ* , the backward-looking beam-width is *θBW*³ , and the Doppler bandwidth of backward-looking beam is

$$
BW3 = \frac{2v}{\lambda} \left[\sin(-\theta + \frac{\theta_{BW3}}{2}) - \sin(-\theta - \frac{\theta_{BW3}}{2}) \right] \approx \frac{2v}{\lambda} \cos \theta \cdot \theta_{BW3}
$$
(3)

The beam-width of the phased array antenna is $\theta_{BW}=\theta'_{BW}/\cos\theta$, where θ'_{BW} is the beam-width of the side-looking beam, and substitute it into Equations (1)–(3). It can be obtained that *BW*1 = *BW*2 = *BW*3 and then the Doppler bandwidth of three beams is the same. Therefore, the three beam images have the same azimuth resolutions.

The distance between *AB* is

$$
L_{AB} = R_S \tan \theta \tag{4}
$$

The distance between the *BC* and the distance between the *AB* are the same. The time difference between the forward-looking beam and the side-looking beam is

$$
\Delta t = L_{AB}/v \tag{5}
$$

The repetition frequency of the transmitted pulse is PRF and the data are received in the strip mode. For a same target, it is located at different azimuth sampling units, and the difference of azimuth sampling units between different beams is

$$
\Delta n \, a n = \Delta t \cdot PRF = L_{AB} \cdot PRF / v \tag{6}
$$

The data of each beam are processed independently to obtain images. When fusing the images from different beams, it is necessary to ensure the matching of the position of the target. According to (6), the forward-looking image is moved back by 2∆*nan* azimuth sampling units, and the side-looking image is moved back by ∆*nan* azimuth sampling units. The images obtained from the three beams are fused in backward-looking image.

3. Multi-Angle SAR Imaging Method Based on a Unified Coordinate

3.1. Problems of Multi-Angle SAR Registrations and Fusion

The fusion objects of current SAR images are various remote sensing images, including the fusion of infrared images and SAR images, the fusion of optical images and SAR images, and the fusion of SAR images. Most current SAR image registrations are performed in the image domain. A heterogeneous-SAR image registration method by normalized cross correlation is proposed in [\[9\]](#page-15-8). Frost filtering is implemented on the SAR image and then the Gaussian gradient images of SAR image is used to form two Gabor characteristic matrixes, and then the normalized cross correlation matching is implemented on the two characteristic matrixes to achieve the registration of the image. The edge features of the target and the feature points can be extracted from the SAR image [\[10](#page-15-9)[–13\]](#page-15-10), and the SAR image registration is performed by the information. A new method is proposed in [\[10\]](#page-15-9) to detect stable features by intersecting Coherent Scatters. The stable features are used to achieve the coarse registration and the Powell algorithm is used for precise registration. A new method using boundary features of images to achieve SAR image registration is proposed in [\[12\]](#page-15-11). A globalized boundary detection algorithm is used for feature extraction and the coherence point drift algorithm is used to match the boundaries. A method for non-homologous SAR image registration is proposed in [\[14\]](#page-15-12). The method utilizes multi-look technology to multi resolution images, then uses the coherent phase to deal with multi resolution images, respectively, getting the registration point and achieving image registration.

3.2. Improved RMA Algorithm

RMA [15-21] achieves SAR imaging in the wave number domain. In spite of the squint angle value, it can perfectly focus the whole scene without using any approximate conditions. The range cell migration compensation, secondary range compression and azimuth compression are achieved by Stolt
the general interpretation for details. interpolation [\[15\]](#page-15-13). In principle, it is the optimum algorithm for SAR imaging [\[16\]](#page-16-1). However, the Stolt interpolation needs huge computation. Since the multi-angle SAR imaging system adopts the method interval, the i of multi-beamforming, the beam squint angle is more than 20° , and the RMA algorithm can process the data of the squint SAR. It can focus the whole scene by interpolation. For 20[°] squint, the general interpolation formula has low spectrum utilization (Section [3.3.](#page-7-0) for details.), and the improved RMA meer content term in the can be expected and content the spectrum utilization.

To illustrate the derivation process of the echo signal, the imaging relationship at point A in Figure [3](#page-2-1) is drawn separately, as shown in Figure [4.](#page-4-0) $M_i(X_i, R_b)$ is one point in the scenario and R_b is the closest distance from the point target to the aircraft trajectory. The distance from the aircraft to the point target can be expressed as:
 $R(t_m) = \sqrt{R_b^2 + (vt_m - X_i)^2}$ (7) point target can be expressed as: point target can be expressed as:
 $R(t_m) = \sqrt{R_b^2 + (vt_m - X_i)^2}$ (7)
where t_m is the azimuth slow-time. Assuming that the transmitted signal is a LFM signal, the received et can be expressed as: $R(t_m) = \sqrt{R_b^2 + \left(v t_m - X_i\right)^2}$

can be expressed as:
\n
$$
R(t_m) = \sqrt{R_b^2 + (vt_m - X_i)^2}
$$
\n
$$
(7)
$$
\nthe circuit below time. A example that the transmitted signal is a JFM signal, the

baseband echo signal is [\[17\]](#page-16-2):

$$
s_0(t_r,t_m) = A_0 \omega_r \left(t_r - 2 \frac{R(t_m)}{c} \right) \omega_a(t_m - t_{mc}) \exp\left\{-j4\pi f_c \frac{R(t_m)}{c} \right\} \exp\left\{j\pi \gamma \left(t_r - \frac{2R(t_m)}{c} \right)^2 \right\}
$$
 (8)

where A_0 is the amplitude of the signal, $\omega_r(\cdot)$ is the range envelope, t_r is the range fast time, $\omega_a(\cdot)$ is the azimuth envelope, t_{mc} is the center of synthetic aperture time, f_c is the center frequency of t is the azimuth envelope, t_{mc} is the center of synthetic aperture time, f_c is the center frequency of the transmitted signal, and *γ* is the chirp rate of the chirp signal. A two-dimensional FFT is applied to the

echo signal, and the two-dimensional frequency domain expression can be obtained:
\n
$$
S_{2DF}(f_r, f_a) = A_1 W_r(f_r) W_a(f_a - f_{ac}) \exp\{j\theta_{2DF}(f_r, f_a)\}
$$
\n(9)

where

where

$$
\theta_{2DF}(f_r, f_a) = -\frac{4\pi R_b (f_c + f_r)}{c} \sqrt{1 - \frac{(cf_a)^2}{4(f_c + f_r)^2 v^2}} - \frac{\pi f_r^2}{\gamma} - 2\pi f_a \frac{X_i}{v}
$$
(10)

 $W_a(f_a) = w_a$ $\sqrt{ }$ $\sqrt{\frac{-cR_0 f_a}{2(f_c+f_r)v^2\sqrt{1-\frac{c^2 f_a^2}{4v^2(f_c+f_r)^2}}}$ \setminus is the envelope of the azimuth spectrum, and $W_r(f_r) = \omega_r(\frac{f_r}{\gamma})$ $\frac{1}{\sqrt{r}}$ is the envelope of the azimuth spectrum, and $W_r(f_r) = \omega_r(\frac{f_r}{\gamma})$ is the envelope of the range spectrum. $\sim 10^{11}$ m $^{-1}$ $\alpha_1(f_a) = w_a \left(\frac{-cR_0f_a}{\sqrt{1 - \frac{c^2f_a^2}{c^2}}} \right)$ is the $-cR_0f_a$ $-cR_0f_a$ $\frac{1}{2f_a^2}$ **j** i $\left(\frac{-cR_0f_a}{\sqrt{cR_0f_a}}\right)$ is the envert $\left(\frac{-cR_0f_a}{2(f_c+f_f)v^2\sqrt{1-\frac{c^2f_a^2}{2(f_c+f_f)^2}}}\right)$ is the enve *f*

Figure 4. Single beam signal model. **Figure 4.** Single beam signal model.

Pulse compression needs to eliminate the quadratic term of *f^r* in Equation (10), and a matched filter can be constructed in frequency:

$$
H_r(f_r) = \exp(j\frac{\pi f_r^2}{\gamma})
$$
\n(11)

After multiplication of Equation (9) and Equation (11) to complete pulse compression, the phase after pulse compression is: *Sensors* **2019**, *19*, x FOR PEER REVIEW 6 of 19

$$
\theta(f_r, f_a) = -\frac{4\pi R_b(f_c + f_r)}{c} \sqrt{1 - \frac{(cf_a)^2}{4(f_c + f_r)^2 v^2}} - 2\pi f_a \frac{X_i}{v}
$$
(12)

Let $k_r = \frac{4\pi (f_r + f_c)}{c}$, $k_x = \frac{2\pi f_a}{v}$, Formula (12) is rewritten as: \mathcal{A} and Equation of Equation (11) to complete pulse complete pulse complete pulse complete pulse complete pulse compression, the phase complete pulse compression, the phase compression, the phase compression, the pha $\alpha(k_r = \frac{4\pi ((\gamma + \tau)\epsilon)}{c}, k_x = \frac{2\pi f a}{v}$, Formula (12) is rewritten as:
 $\theta(k_r, k_x) = -R_b\sqrt{k_r^2 - k_x^2} - k_x X_i$

$$
\theta(k_r, k_x) = -R_b \sqrt{k_r^2 - k_x^2} - k_x X_i
$$
\n(13)

Since the signal processing of the RMA algorithm is performed in the two-dimensional frequency domain, and R_b represents the time domain, the phase compensation cannot handle the change along the range direction. At this time, a reference range is first selected, and the phase at the reference distance is compensated. Generally, the reference range is set at the center of the scenario. At this time, the matched function of consistent compression is: frequency domain, and *Rb* represents the time domain, the phase compensation cannot handle the

$$
H_{COMP}(k_r,k_x) = jR_S\sqrt{k_r^2 - k_x^2} + jk_xR_s \tan\theta
$$
\n(14)

where, *R^s* is the closest distance from the center point of the scenario to the aircraft trajectory. After consistent compression, the point at the center of the scenario is completely focused, and the residual phase at the other range is: R_s is the closest distance from the center point of the scenar
nt compression, the point at the center of the scenario is con is the closest distance from the center point of the scenario to the scenario to the aircraft trajectory. After

$$
\theta_{RFM}(k_r, k_x) = -(R_b - R_S)\sqrt{k_r^2 - k_x^2} - k_x(X_i - R_s \tan \theta)
$$
\nThe RMA algorithm performs range cell migration compensation, secondary range compression

and azimuth co[mp](#page-15-0)ression by interpolation $k_y = \sqrt{k_r^2 - k_x^2}$ [1,17]. For 20[°] squint, the two-dimensional spectrum is distorted, and it needs to extract a rectangular aperture of data adequately in such 2-D support [\[18\]](#page-16-3), as shown in Figure [5;](#page-5-0) it needs to discard part of the spectrum due to the squint angle, which reduces the energy of targets after imaging. For each of the determined k_r , the variation of k_y with k_x is shown by the arc in Figure [5.](#page-5-0)

Figure 5. Spectrum of traditional interpolation. **Figure 5.** Spectrum of traditional interpolation.

Sensors **2019**, 19, 1701 T_{S} is $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$, $\frac{1}{2}$

The improved interpolation uses the tangent of each arc instead of the traditional k_y , and corrects the distorted spectrum. Therefore, the method can effectively improve the utilization of the spectrum
in squint SAR. The improved interpolation is: in squint SAR. The improved interpolation is: *k* erefore, the method can effectively improved interpolation is: *k k* tangent of each arc instead of the trac
thod can effectively improve the utili
n is: fore, the method can effectively improve the utilization is: $\frac{1}{2}$ is:

$$
k_y = \sqrt{k_r^2 - k_x^2} - \left[\sqrt{k_{rc}^2 - k_{xc}^2} - \frac{k_{xc}}{\sqrt{k_{rc}^2 - k_{xc}^2}} (k_x - k_{xc}) \right]
$$
(16)

where $k_{rc} = \frac{4\pi f_c}{c}$, $k_{xc} = \frac{2\pi f_{ac}}{c}$ and $f_{ac} = \frac{2v\sin\theta}{\lambda}$ is Doppler center. The residual phase after interpolation is 2 2 $\frac{\pi f_c}{c}$, $k_{xc} = \frac{2\pi f_{ac}}{c}$ and $f_{ac} = \frac{2v \sin \theta}{\lambda}$ is Doppler center. The residual property k $\begin{bmatrix} \begin{array}{ccc} \end{array} & \begin{array}{ccc$ k_{xc} $=\frac{4\pi f_c}{c}$, $k_{xc} = \frac{2\pi f_{ac}}{c}$ and $f_{ac} = \frac{2v \sin \theta}{\lambda}$ is Doppler center. The residual phase aft ion is and $f_{ac} = \frac{2v\sin\theta}{\lambda}$ is Doppler center. The res $\begin{aligned} \n\mathcal{L}_c &= \frac{2\pi f_{ac}}{c} \text{ and } f_{ac} = \frac{2v\sin\theta}{\lambda} \text{ is Doppler center.} \n\end{aligned}$ The residual ph
 $\mathcal{L}_b - R_S \left[k_y + \left(\sqrt{k_{rc}^2 - k_{xc}^2} - \frac{k_{xc}}{\sqrt{L^2 - k_{xc}^2}} (k_x - k_{xc}) \right) \right] - k_x (X_i - R_s \text{ to } 0)$

nterpolation is
\n
$$
θ_{STOLT}(k_y, k_x) = -(R_b - R_S) \left[k_y + \left(\sqrt{k_{rc}^2 - k_{xc}^2} - \frac{k_{xc}}{\sqrt{k_{rc}^2 - k_{xc}^2}} (k_x - k_{xc}) \right) \right] - k_x (X_i - R_s \tan \theta)
$$
\n(17)

Since the interpolation introduces a linear phase that varies with range, it is necessary to compensate for the introduced linear phase in the Range–Doppler domain. After IFFT along the
range, the following is obtained:
 $s_{RD}(Y, k_x) = A_2 \sin c \left(\frac{B_{ky}}{2\pi} Y \right) W_a \left(\frac{vk_x}{2\pi} \right) \exp \{-jk_x (X_i - R_s \tan \theta) \}$ range, the following is obtained: $\left(\frac{B_{ky}}{2}\gamma\right)W_a$ *R* $(R_1 \land R_2 \land R_3 \land R_4 \land R_5 \land R_6 \land R_7 \land R_8 \land R_9 \land R_1 \land R_2 \land R_3 \land R_4 \land R_5 \land R_6 \land R_7 \land R_8 \land R_9 \land R_1 \land R_2 \land R_3 \land R_4 \land R_5 \land R_6 \land R_7 \land R_8 \land R_9 \land R_1 \land R_1 \land R_2 \land R_3 \land R_4 \land R_5 \land R_6 \land R_7 \land R_8 \land R_9 \land R_1 \land R_1 \land R_2 \land R_3 \land R_4 \land R_5 \land R$ $\frac{B_{ky}}{N}$ $\sqrt{W}\left(\frac{vk_x}{2}\right)$ exp

$$
s_{RD}(Y,k_x) = A_2 \sin c \left(\frac{B_{ky}}{2\pi} Y \right) W_a \left(\frac{vk_x}{2\pi} \right) \exp \left\{ -jk_x (X_i - R_s \tan \theta) \right\}
$$

$$
\cdot \exp \left\{ -j(R_b - R_S) \left(\sqrt{k_{rc}^2 - k_{xc}^2} - \frac{k_{xc}}{\sqrt{k_{rc}^2 - k_{xc}^2}} (k_x - k_{xc}) \right) \right\}
$$
(18)

where B_{ky} is the bandwidth of k_y , $Y = R_b - R_s$, and the second phase in Equation (18) needs to be compensated along azimuth, and the azimuth compensation function is: compensation along azimuth, and the azimuth compensation is: $\frac{1}{2}$

Desasted along azimuth, and the azimuth compensation function is:

\n
$$
H_{AZIMUTH}(R_b, k_x) = \exp\left\{j(R_b - R_S)\left(\sqrt{k_{rc}^2 - k_{xc}^2} - \frac{k_{xc}}{\sqrt{k_{rc}^2 - k_{xc}^2}}(k_x - k_{xc})\right)\right\}
$$
\nMultiply Equation (18) and Equation (19) and perform IFFT along azimuth to obtain:

$$
s_{RX}(Y, X_i) = A_3 \sin c \left(\frac{B_{ky}}{2\pi} Y \right) \sin c \left(\frac{B_{kx}}{2\pi} (X_i - R_s \tan \theta) \right)
$$
(20)

where B_{kx} is the bandwidth of k_x . The point target $M_i(X_i, R_b)$ is focused at $(X_i - R_s \tan \theta, R_b - R_s)$ in the time domain the time domain.

The algorithm processing flow is shown in Figure [6:](#page-6-0)

Figure 6. Multi-angle SAR algorithm flow chart.

3.3. Application and Consideration 3.3. Application and Consideration

For many artificial objects, the SAR image is greatly affected by the azimuth angle. Through For many artificial objects, the SAR image is greatly affected by the azimuth angle. Through multi-angle image fusion, we can obtain more detailed information about the target, which improves multi-angle image fusion, we can obtain more detailed information about the target, which improves the target detection and recognition ability of SAR images. SAR image matching fusion can be achieved the target detection and recognition ability of SAR images. SAR image matching fusion can be quickly by imaging in a unified coordinate system. In order to maximize the use of the spectrum, it is necessary to make the interpolated spectrum as rectangular as possible. After interpolation, the original coordi[nat](#page-7-1)e axis k_r is replaced by the new coordinate axis k_y . Figure 7 is the bandwidth of [th](#page-5-0)e spectrum after interpolation, and the effective spectrum is the part within the dashed box. Figure $5\,$ shows the spectrum of the traditional interpolation method, and the spectrum is approximated as a character quadrilateral. The effective spectrum is significantly smaller than the spectrum obtained by the method of this paper.

Figure 7. Spectrum of proposed interpolation. **Figure 7.** Spectrum of proposed interpolation.

For accurate matching, images need to have a uniform scale. The bandwidth of For accurate matching, images need to have a uniform scale. The bandwidth of *k^y* represents the range bandwidth after interpolation. In order to have the same range resolution vidth of κ_y $t_{\rm cool}$ the range bandwidth after interpolation. In order to have the same range resolution of $t_{\rm on}$ and $t_{\rm on}$ the same range resolution of $t_{\rm on}$ The traditional method is to intercept the largest rectangle in the interpolated spectrum, as shown *k* of multiple-angle images in the time domain, the bandwidth of *k^y* is required to be the same. in Figure [5.](#page-5-0) The traditional method is used to determine k_{y1} . Let $k_{rL} = \min(kr)$, $k_{rH} = \max(kr)$, $k_{yL} = \max\left(\sqrt{k_{rL}^2 - k_x^2}\right)$, $k_{yH} = \min\left(\sqrt{k_{rH}^2 - k_x^2}\right)$ and N is the number of range sampling units, and then $k_{y1}(i) = k_{yL} + (i-1)(k_{yH} - k_{yL})/N$, $i = 1, 2, \dots, N$. The result of $k_{y1} - (k_r - k_{rc})$ is shown in Figure 8. The slope greater than 0 represents the bandwidth of k_{y1} is greater than the bandwidth of k_r . In the images of different views, the bandwidth of k_{y1} is inconsistent and there is a slight change of k_r . In the images of different views, the bandwidth of k_{y1} is inconsistent and there is a slight change in the range resolution of the time domain. In general SAR imaging applications, it can be ignored. However, the change in the range resolution will lead to inaccurate matching and affect the quality
 All 2008 *y*1 of the fusion in image matching. In the proposed method, in order to unify the bandwidth of *k^y* in different view images, the center value of k_y is first determined, and then the bandwidth of k_y is determined according to the bandwidth of the k_r . The proposed method is used to determine k_{y2} and $k_{y2}(i) = k_{rc} + (i - N/2)(k_{rH} - k_{rL})/N$, $i = 1, 2, \cdots, N$. As shown in Figure [9,](#page-8-1) the bandwidth of k_{y2} is smaller than the bandwidth of k_{y1} , which means that the proposed method discards a small portion of the spectrum. The result of $k_{y2} - (k_r - k_{rc})$ is shown in Figure 8. The slope is 0, which the bandwidth of k_{y2} is consistent, and different images have the same range resolution in the time portion of the spectrum. The result of $k_{y2} - (k_r - k_{rc})$ is shown in Figure 8. The slope is 0, which
represents the bandwidth of k_{y2} is the same as the bandwidth of k_r . In the images of different views,
the bandwidth domain. The advantage of the scale uniformity is obvious in image matching.

Range sampling unit

Figure 9. Comparison of two sampling methods. **Figure 9.** Comparison of two sampling methods.

Figure 9. Comparison of two sampling methods. Therefore, motion compensation is required in data processing. In the mode of multi-flight acquisition for imaging data, the motion compensation of each SAR image is different because of the different motion errors of each flight, which brings difficulties to image matching. When multi-angle SAR data are taken by this system, data of each angle have the same motion error, and the data of multiple angles can be compensated by the motion error of a single view, simplifying the compensation process. $\frac{1}{2}$ multiple angles can be compensated by the motion error of a single view, simplifying the motion error of a simplifying the motion error of a simplifying the motion error of a simplifying the motion error of $\frac{$ competitive to jointly perform motion compensation through multiple viewing ungles to mip viewing accuracy. It is difficult for the aircraft to maintain an ideal state due to factors such as airflow during flight. It is difficult for the aircraft to maintain an ideal state due to factors such as airflow during flight. It is also possible to jointly perform motion compensation through multiple viewing angles to improve compensation accuracy.

4. Experimental Simulation, Measured Data 4. Experimental Simulation, Measured Data 4. Experimental Simulation, Measured Data

4.1. Experimental Simulation 4.1. Experimental Simulation 4.1. Experimental Simulation

raer to verify the validity of the algorithm, the simulation data are used for explana The simulation resolution is $0.3 \text{ m} \times 0.3 \text{ m}$, the wavelength is 3 cm, the center frequency is 10 GHz , the signal bandwidth is 500 MHz, the range sampling rate is 600 MHz, the pulse width is 3.5 µs, the speed of aircraft is 100 m/s, the antenna aperture is 0.6 m, and the pulse repetition frequency is 450 Hz. The closest distance from the center of the scenario to the aircraft route is 30 km. Three beams In order to verify the validity of the algorithm, the simulation data are used for explanation data are used for explanation data are used for explanation. The simulation data are used for explanation. The simulation of t In order to verify the validity of the algorithm, the simulation data are used for explanation. are used with a beam spacing of 20 $^{\circ}$ and the beam width is 2.86 $^{\circ}$. There are five points in the scene, and the simulation scenario layout is shown in Figure [10.](#page-9-0) The center point target is located at $(0, 0)$, and the remaining four points are located at $(\pm 30, \pm 30)$.

The squint angle of the forward-looking beam is 20°, and the scenario image processed by the above imaging algorithm is shown in Figure [11a](#page-10-0), the position of the center point target is (1025, 2050), and the positions of the other four points are (1025 \pm 135, 2050 \pm 120). The azimuth sampling rate is 1.35 times of the azimuth bandwidth, so the distance between the center point target and the rest of the point target in the azimuth direction is $135/1.35 \times 0.3 = 30$ m, which is consistent with the scenario layout; The range sampling rate is 1.2 times of the bandwidth, and the distance between the center point target and the rest of the point target in the range direction is $120/1.2 \times 0.3 = 30$ m, which is consistent with the scenario layout. Figure [11b](#page-10-0) is a result of interpolation of the point $(1025 - 135)$, 2050 - 120) in Figure [11a](#page-10-0). It can be seen that the point target in forward-looking beam is well focused. The profiles of range and azimuth-spread function of the target are presented in Figure [11c](#page-10-0),d. The peak sidelobe ratio (PLSR) along the range direction shown in Figure [11b](#page-10-0) is -13.2242 . The integral sidelobe ratio (ISLR) along the range direction is −9.8468. The PLSR along the azimuth direction shown in Figure [11b](#page-10-0) is -13.2611. The ISLR along the azimuth direction is -9.8963.

Figure 10. Simulation layout map. above imaging algorithm is shown in Figure 11a, the position of the point target is $\frac{1}{2}$

The scenario image of the side-looking beam processed by the above imaging algorithm is shown in Figure 12a, the position of the center point target is $(1025, 2050)$, and the positions of the remaining four points are $(1025 \pm 135, 2050 \pm 120)$. The distance between the center point target and the rest of the 1.35 times of the azimuth bandwidth, so the distance between the center point target and the rest of the rest of $\frac{1}{2}$ target and the rest of the point target in the range direction is $120/1.2 \times 0.3 = 30$ m, which is consistent with the scenario layout. Figure [12b](#page-10-1) is a result of interpolation of the point $(1025 - 135, 2050 - 120)$ in Figure [12a](#page-10-1). It can be seen that the point target in side-looking beam is well focused. The profiles of range and azimuth-spread function of the target are presented in Figure [12c](#page-10-1),d. The PLSR along the range direction shown in Figure [12b](#page-10-1) is -13.2231. The ISLR along the range direction is -9.8464. The PLSR along the azimuth direction shown in Figure $12b$ is -13.2602 . The ISLR along the azimuth direction is -9.8962 . point target in the azimuth direction is $135/1.35 \times 0.3 = 30$ m, and the distance between the center point Figure 11b is $\frac{1}{2}$ is $\frac{1}{2}$. The integral side range direction is $\frac{1}{2}$.

(**a**) Imaging result of targets (**b**) Interpolation of a single point target

Figure 11. Imaging result of the forward-looking beam.

(**c**) Profiles of range-spread function (**d**) Profiles of azimuth-spread function

Figure 12. Imaging result of the side-looking beam. **Figure 12.** Imaging result of the side-looking beam.

The scenario image processed by the above imaging algorithm for the backward-looking beam The scenario image processed by the above imaging algorithm for the backward-looking beam is shown in F[igu](#page-11-0)re 13a. the position of the center point target is (1025, 2050), and the positions of the remaining four points are (1025 \pm 135, 2050 \pm 120). The distance between the center point target and the rest of the point target in the azimuth direction is $135/1.35 \times 0.3 = 30$ m, and the distance between the center point target and the rest of the point target in the range direction is $120/1.2 \times 0.3 = 30$ m, which is consistent with the scenario layout. Figure 13[b i](#page-11-0)s a result of interpolation of the point $(1025 - 135, 2050 - 120)$ in Figur[e 12](#page-10-1)a. It can be seen that the point target in backward-looking beam

is well focused. The profiles of range and azimuth-spread function of the target are presented in Figure [13c](#page-11-0),d. The PLSR along the range direction shown in Figure [13b](#page-11-0) is -13.2299. The ISLR along the range direction is −9.8458. The PLSR along the azimuth direction shown in Figure [13b](#page-11-0) is −13.2536. The ISLR along the azimuth direction is −9.8859.

(**c**) Profiles of range-spread function (**d**) Profiles of azimuth-spread function

Figure 13. Imaging result of the backward-looking beam. **Figure 13.** Imaging result of the backward-looking beam.

In each beam, the absolute position and relative position of the point target are not changed and In each beam, the absolute position and relative position of the point target are not changed and matched with the ground point, so the imaging of the same point target on the ground by different matched with the ground point, so the imaging of the same point target on the ground by different beams only has the difference in azimuth time. According to the time difference represented by beams only has the difference in azimuth time. According to the time difference represented by Formula (5) or the azimuth point difference represented by Formula (6), the image fusion of multi-Formula (5) or the azimuth point difference represented by Formula (6), the image fusion of multi-view SAR can be completed by delaying the forward-looking beam imaging result by 2∆*t* and delaying the side-looking beam imaging result by ∆*t*, and then superimposing them into the backward-looking beam imaging result.

According to the time difference represented by the Formula (5), or the difference in the number According to the time difference represented by the Formula (5), or the difference in the number of azimuth points represented by the Formula (6), the front-view beam imaging result is delayed by $2\Delta t$, the due side-view imaging result is delayed by Δt , and then image fusion of multi-angle SAR is completed after superimposition on back-view beam. The result of the fusion is shown in Figur[e 14](#page-12-0)a. Figu[re 1](#page-12-0)4b is a result of interpolation of the point in Fig[ure](#page-12-0) 14a. It can be seen from Fig[ure](#page-12-0) 14a,b that the imaging and fusion of images can be completed in a uniform coordinate system within a viewing angle range of $-20 \degree to 20 \degree . The Range PSLR is -8.31 and the azimuth PSLR is -6.37 .$

Figure 14. Result after image fusion. **Figure 14.** Result after image fusion.

4.2 Measured Data 4.2. Measured Data

In order to validate the effectiveness of the proposed algorithm, the large-angle spotlight SAR In order to validate the effectiveness of the proposed algorithm, the large-angle spotlight SAR measured data are processed using the proposed algorithm. The large-angle spotlight SAR measured measured data are processed using the proposed algorithm. The large-angle spotlight SAR measured data contains information about multiple perspectives of the target. After dividing the data into two data contains information about multiple perspectives of the target. After dividing the data into two parts according to the two viewpoints of forward-looking and backward-looking, the fusion image parts according to the two viewpoints of forward-looking and backward-looking, the fusion image of multi-angle SAR is obtained by using the algorithm proposed in this paper. The parameters of the system are shown in Tabl[e 1](#page-12-1). system are shown in Table 1.

Figure 15a, b are images of six vehicles with forward-looking and backward-looking views. It can be seen that the target information obtained is not complete because of sheltering of the single-view Figure [15a](#page-13-0),b are images of six vehicles with forward-looking and backward-looking views. It can

target. Figure [15c](#page-13-0) is obtained through the image fusion of two angles of view. From which, complete geometric features of the target can be seen clearly. The information entropy is used to evaluate the effects of image fusion. Information entropy in Figure [15a](#page-13-0),b are 6.1819 and 6.1046, and information entropy in Figure [15c](#page-13-0) is 6.6635. The information entropy in the image increases after fusion. This means the fused image contains more information about the targets. *Sensors* **2019**, *19*, x FOR PEER REVIEW 16 of 19

Figure 15. Image fusion results of proposed method.

Figure [16](#page-13-1) shows the image fusion results of Range-Doppler algorithm. Different from the proposed method, the result of angle 2 has a deformation, and the image registration needs to be proposed method, the result of angle 2 has a deformation, and the image registration needs to be proposed meansd, are result of angle 2 rate a determination, and the mage registration needs to be
performed after the image is corrected. When the images are fully registered, the images can be well fused as shown in Figure [16c](#page-13-1). When the image is not fully registered, part of the target information will be lost as shown in Figure 16d. will be lost as shown in Figure [16d](#page-13-1). performed as second a function $\frac{1}{2}$ in $\frac{1}{2}$. When the image is not fully registered, part of the image information $\frac{1}{\sqrt{2}}$ function in Figure 16c.

(b) Angle 2 **Figure 16. Figure 16. Figure 2 Figur**

(**a**) Angle 1 (**b**) Angle 2 (**c**) Matched image (**d**) Unmatched image

Figure 16. Image fusion results of Range–Doppler algorithm.

additional image registration, which simplifies the process of image fusion. It also avoids the effects the effects of image function \mathcal{L} Compared with the traditional method, the method proposed in this paper does not require additional image registration, which simplifies the process of image fusion. It also avoids the effects of mismatch between images. However, RMA requires interpolation and is computationally intensive, which can cause real-time processing difficulties.
which can cause real-time processing difficulties. Figure 16. Image fusion results of Range–Doppler algorithm.
Compared with the traditional method, the method proposed in this padditional image registration, which simplifies the process of image fusion. It a
mismatch betw

Figure [17](#page-14-0) shows a multi-angle fusion result of two views in a large scenario area, in which red represent the components of forward-looking view and green represent the components of

backward-looking view. The background is spotlight SAR image, and the segmented portion is forward-looking and backward-looking images.

Figure 17. A multi-angle fusion result of a large scenario area. **Figure 17.** A multi-angle fusion result of a large scenario area.

Different colors represent components of different views. In a single view image, the occluded portion can be supplemented by another view. The geometric characteristics of the transport vehicle are p portion can be supplemented by another view. The geometric characteristics of the transport vehicle p and p a relatively complete, which is beneficial to the identification of the target. Figure [18](#page-14-1) is an optical picture and enlarged fusion result of the transport vehicle of Figure [18.](#page-14-1)

(**a**) Optical image (**b**) Fusion image by multiple angles (**a**) Optical image (**b**) Fusion image by multiple angles

Figure 18. Optical image and fusion image of a vehicle. **Figure 18.** Optical image and fusion image of a vehicle. **Figure 18.**Optical image and fusion image of a vehicle.

5. Conclusion 5. Conclusions

A multi-angle SAR imaging system is proposed in this paper using multi-beamforming. When When using an ultrahigh speed platform, the main issue is an increase in Doppler bandwidth in the signal. As a result, it is difficult to separate signals of multiple beams in the frequency domain. Therefore, this paper separates the multi-beam signal in the time domain using three groups of feeders. In order to achieve accurate matching of multi-view SAR images, an improved RMA in a unified **5. Conclusion** A multi-angle SAR imaging system is proposed in this paper using multi-beamforming.

coordinate is proposed. SAR data from different view angles is imaged in a uniform coordinate system. The resolution between images is the same, and the image is not deformed and scaled. There is only a time delay relationship between images of different view angle. Therefore, image fusion does not require additional registration. Multi-angle images can be quickly and accurately fused.

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