

Supplementary 1

Table S1: Definitions and Equations for GLCM texture measures¹

Factor	Equation	Description
Contrast	$\sum_{ij=0}^{M-1} P_{ij} (i - j)^2$	Overall amount of local grey level variation within a window (Yuan <i>et al.</i> , 1991).
Correlation	$\sum_{ij=0}^{M-1} P_{ij} \left[\frac{(i - \mu_i)(i - \mu_j)}{(\sigma_i^2)(\sigma_j^2)} \right]$	Measurement of linear dependency of grey levels within an image (Kayitakire <i>et al.</i> 2006).
Entropy	$\sum_{ij=0}^{M-1} P_{ij} (-\ln P_{ij})$	Measure of uncertainty within an image (Yuan <i>et al.</i> , 1991).
Dissimilarity	$\sum_{ij=0}^{M-1} P_{ij} i - j $	Measure of the local variation (Rubner <i>et al.</i> 2001).
Homogeneity	$\sum_{ij=0}^{M-1} \frac{P_{ij}}{1 + (i - j)^2}$	Measures the smoothness of the image texture (grey level distributions) (Tuttle <i>et al.</i> 2006).
Mean	$\mu_i = \sum_{ij=0}^{M-1} i(P_{ij})$ $\mu_j = \sum_{ij=0}^{M-1} j(P_{ij})$	Average grey levels present in the small neighbourhood (Materka and Stralecki 1998).
Second moment	$\sum_{ij=0}^{M-1} P_{ij}^2$	Provides indication of local homogeneity (Yuan <i>et al.</i> , 1991).
Variance	$\sigma_i^2 = \sum_{ij=0}^{M-1} P_{ij} (i - \mu_i)^2$ $\sigma_j^2 = \sum_{ij=0}^{M-1} P_{ij} (i - \mu_j)^2$	Variability of pixels spectral response (Materka and Stralecki 1998).

“Where $P(i, j)$ is the normalised co-occurrence matrix where the sum of $(i, j = 0, M - 1)$ $(P(i, j)) = 1$ ”

¹ Adapted from Hlatshwayo *et al.* (2019)