

# Supplementary Material for Modelling Cyclists' Multi-Exposure to Air and Noise Pollution with Low-Cost Sensors – The Case of Paris

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## 1. Model Priors

All of the selected priors are “weakly informative”. This is justified by the lack of information about the expected values for the studied parameters in Paris and by the fairly large amount of data, so strong priors are not required.

For all the linear coefficients predicting NO<sub>2</sub>, we have selected a normal prior with a mean of 0 and a standard deviation of 10 (normal(0,10)). For noise, the same coefficients have a normal prior also centered on 0 with a standard deviation of 2 (normal(0,2)). These priors are conservative because they are centered on 0 and are used to help the NUT (No-U-Turn) sampler to converge without sampling meaningless values. Indeed, it is very unlikely that one of these parameters has an impact greater than 30 µg/m<sup>3</sup> or 6 dB(A).

For the random effects, we followed the recommendation of Gelman [1] and used proper priors with a half-Cauchy distribution. The scale parameters for both day and participants groups for NO<sub>2</sub> are 20 and the scale parameters for noise exposure are 2. This reflects prior knowledge that NO<sub>2</sub> might be more variable across days and sensors than noise.

In the R package named *brms* (Bayesian Regression Models using 'Stan'), spline variability is modeled as a random effect due to the proximity between them. Therefore, the same types of priors are used (half-Cauchy). For NO<sub>2</sub>, the scale parameters selected are 20 (distance from road), 20 (Time) and 35 (X and Y coordinates); for noise, they are 8, 8 and 16 respectively. This reflects the prior knowledge that for both noise and NO<sub>2</sub>, the space parameter might have more variations than time of the day or distance from roads and that NO<sub>2</sub> concentrations have a higher variance than noise levels.

Finally, for the MA (Moving Average) terms, we specified a prior as normal (0.6,0.2) with a lower restriction of -1 and an upper restriction of 1 reflecting the prior knowledge that both data series are strongly autocorrelated.

## 2. Calculation of Urban Morphological Indexes

### *Slope (%)*

Data source: the elevation is reported by the Garmin watch every second

Calculation: (Altitude at the end of the segment – Altitude at the beginning of the segment) / Segment length \* 100

### *Low speed area (0-1)*

Data source: <https://opendata.paris.fr/explore/dataset/zones-30>

Calculation: geographical intersection with the segment

### *Industrial activity land use density (%)*

Data source: [http://data.iau-idf.fr/datasets/75ab6d1bb58043729a8b05172937cfb0\\_40](http://data.iau-idf.fr/datasets/75ab6d1bb58043729a8b05172937cfb0_40)

Calculation: Part of a 50m buffer around the segment that is covered by industrial activities

*Vegetation density (%)*

Data source: <https://opendata.apur.org/datasets/hauteur-vegetation-2015>

Calculation: Part of a 50m buffer around the segment that is covered by tree canopy

*Sky view factor index (%)*

Data source: <https://opendata.paris.fr/explore/dataset/volumesbatisparis/information/>

Calculation: SAGA GIS version 2.3.2

Interpretation: part of the sky visible when the obstruction caused by buildings is considered.

Proxy for the canyon shape of a street.

*Fetch Index (%)*

Usually defined as: the distance the wind can travel across a specific environment

Wind data source: <https://www.infoclimat.fr>

Building data source : <https://opendata.paris.fr/explore/dataset/volumesbatisparis/information/>

Calculation: the index is calculated as described by Figure S1:

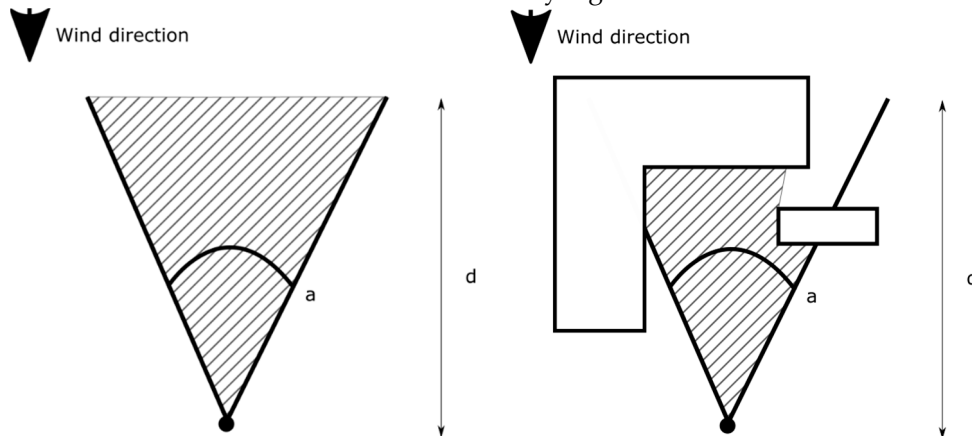


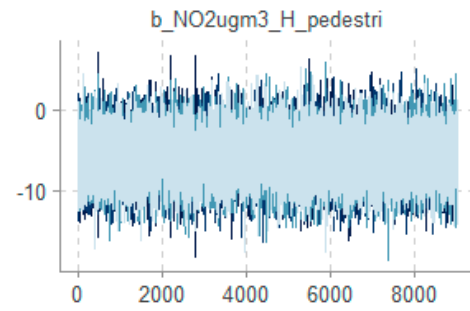
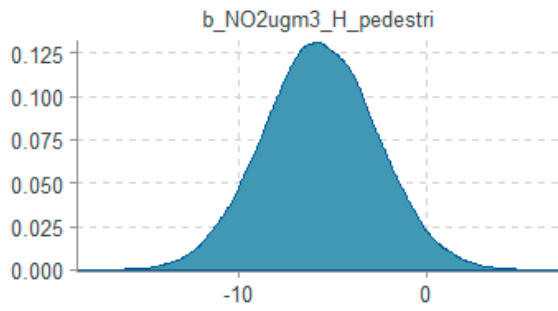
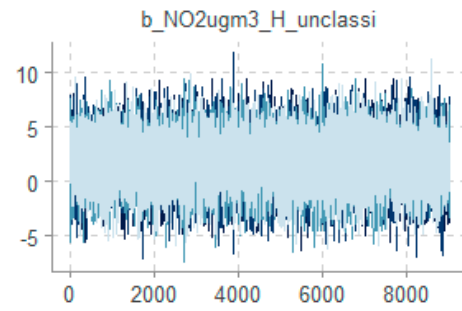
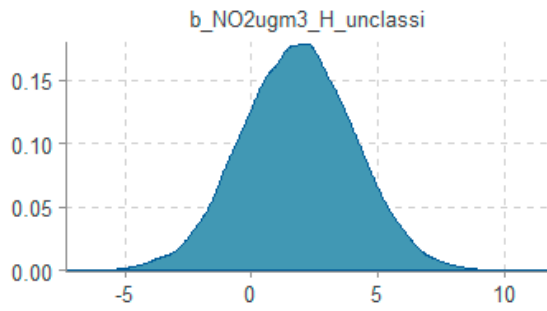
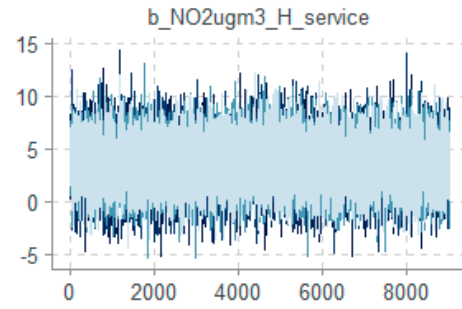
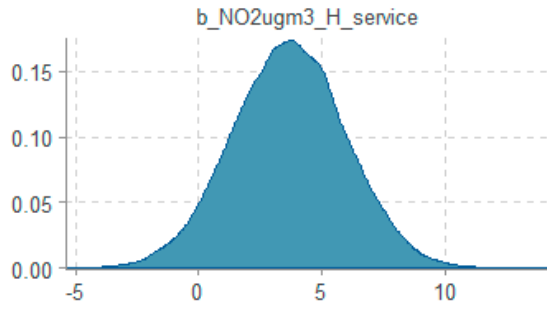
Figure S1. Visual description of the fetch index.

The inverse direction of the blowing wind, at point  $p$ , a cone is drawn with a length  $d$  (250m in the article), and an angle  $a$  (30 degrees in the article). The value of the index is the part of the cone's area that a line coming from  $p$  can cover in the cone without crossing a building's footprint. This represents the potential exposure to wind. As an example, in the first case of the figure above, the value of the index is 1 because no buildings impact the potential wind exposure.

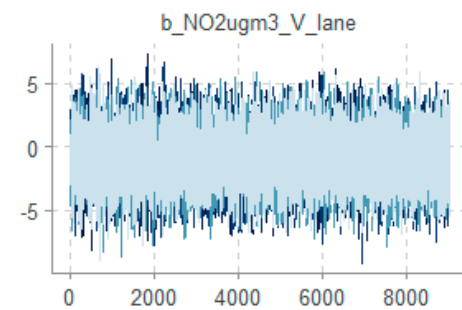
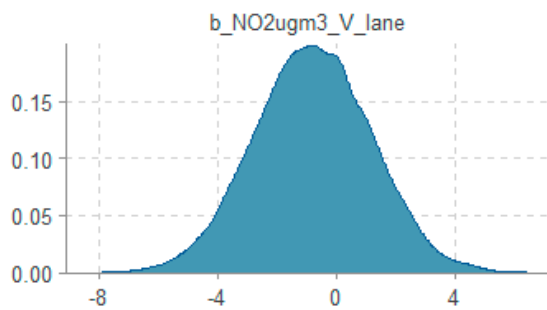
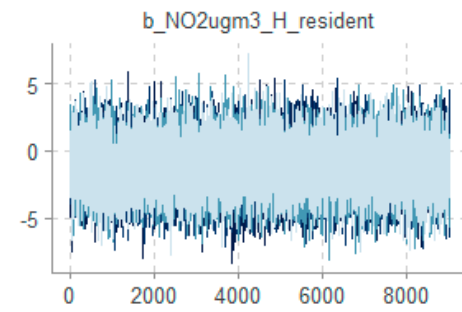
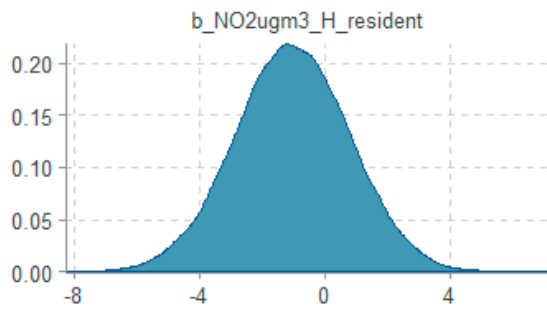
The value was calculated along segments every 10 meters and then averaged for the full segment.

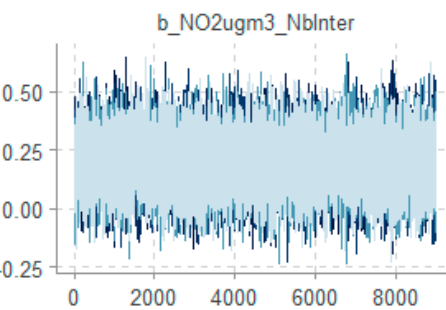
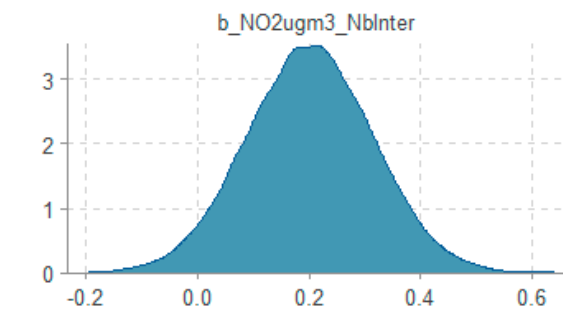
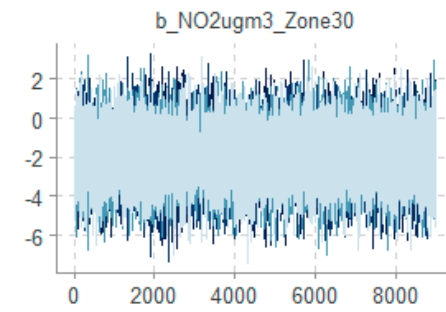
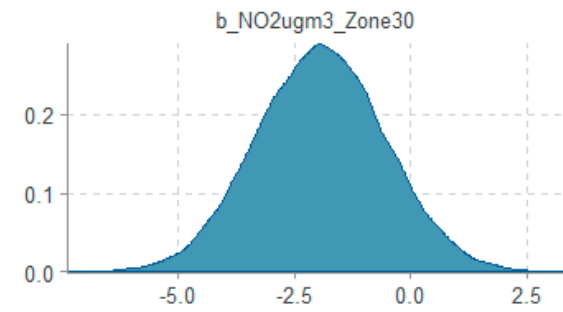
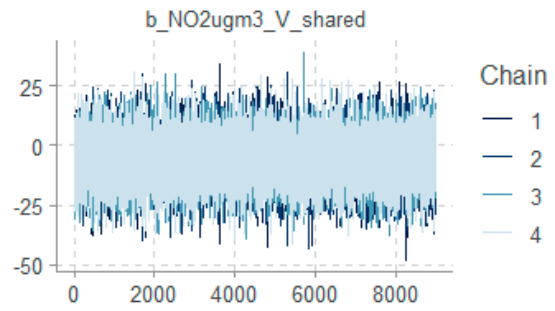
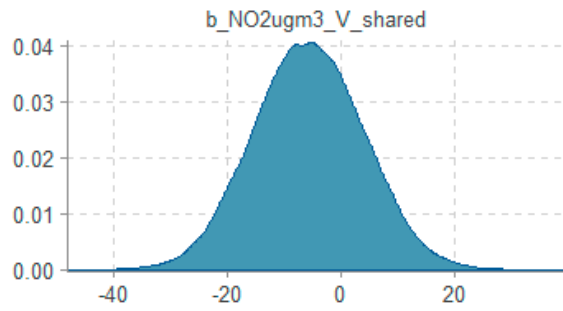
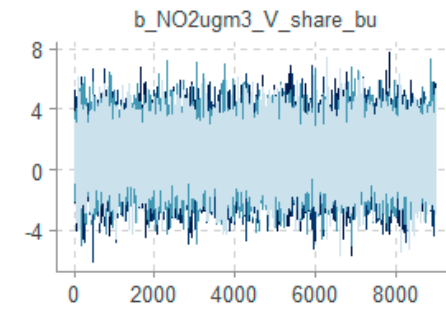
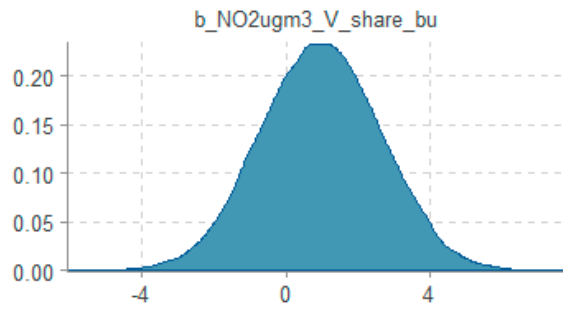
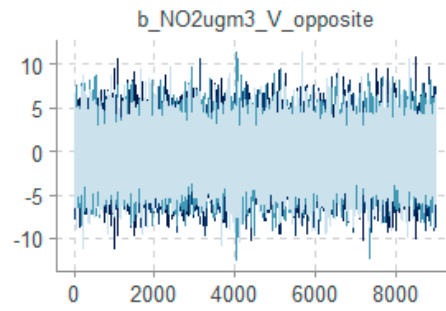
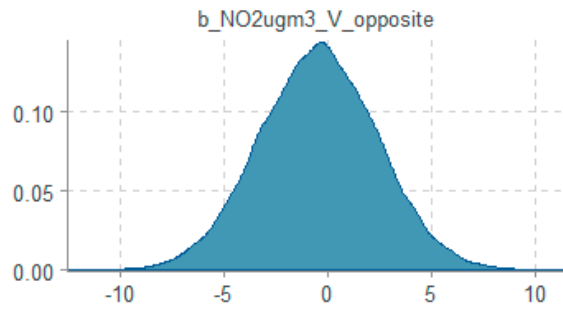
### **3. Posterior Distributions**

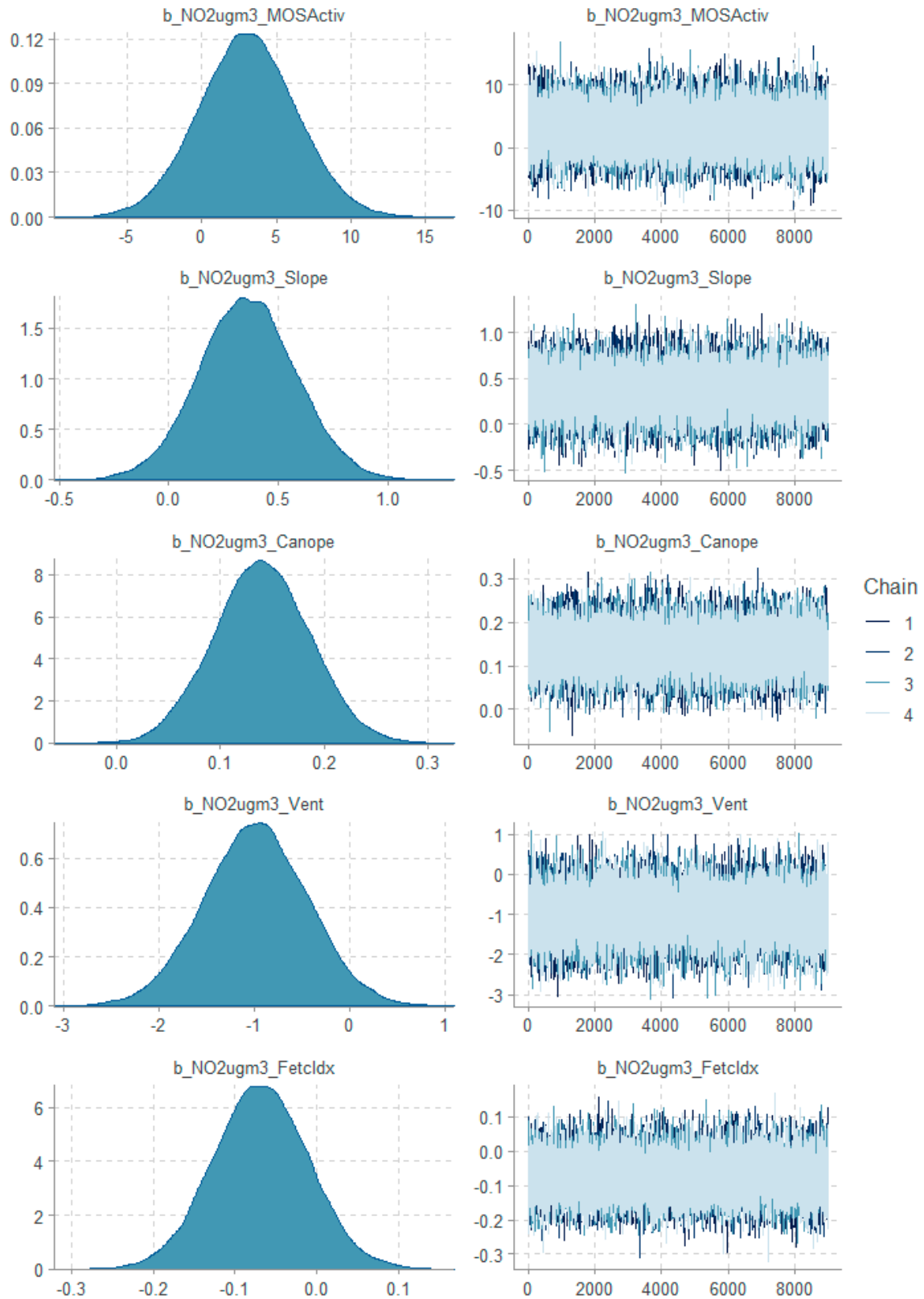
The posterior distribution of each parameter of the model are presented in Figure S2. The are obtained with four chains during 10,000 iterations where the first 1000 were used as a warmup for sampling realized with a No-U-Turn Sampler (NUTS).

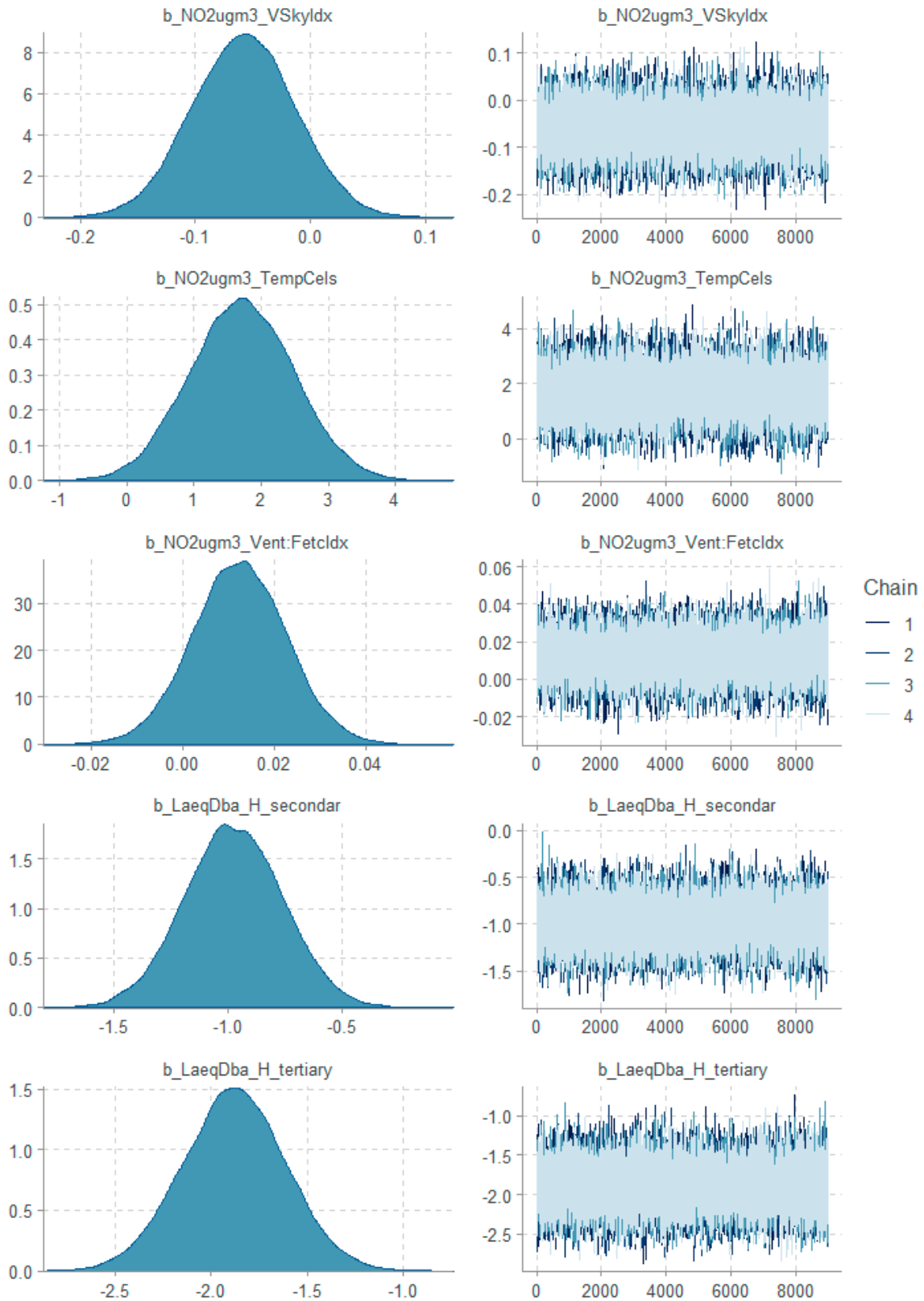


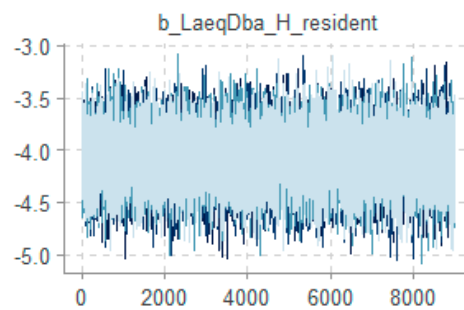
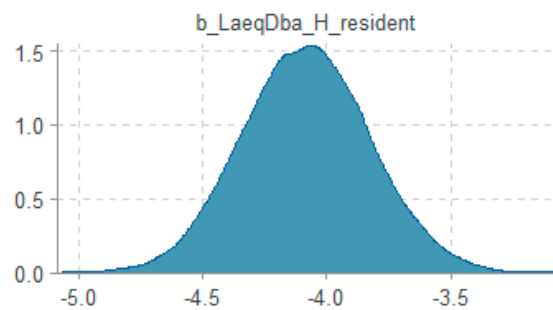
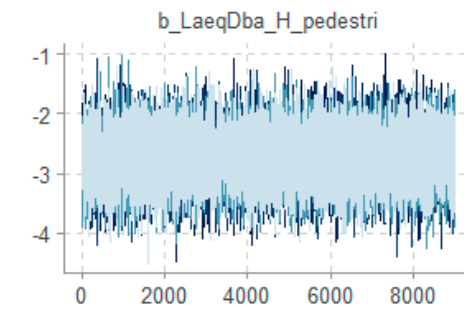
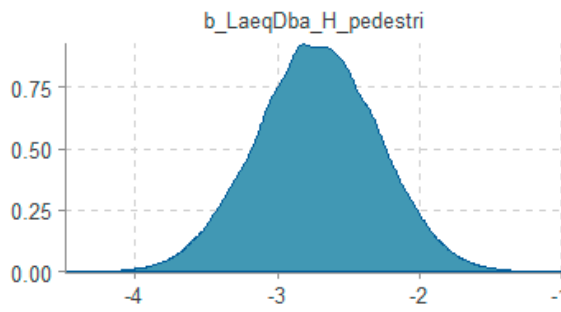
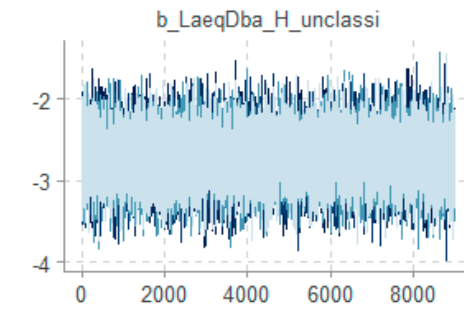
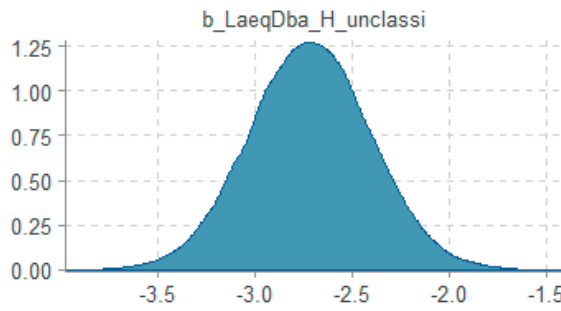
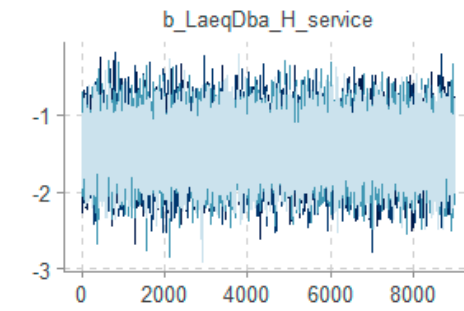
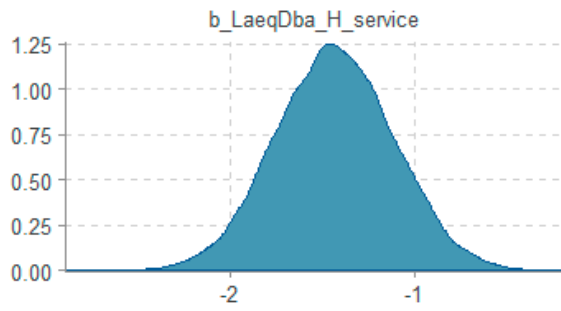
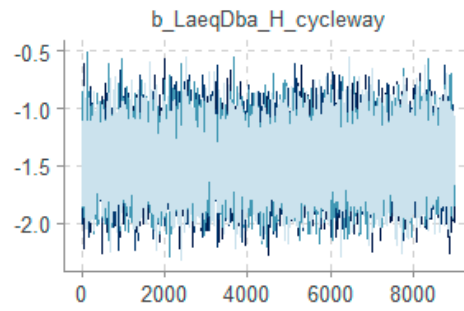
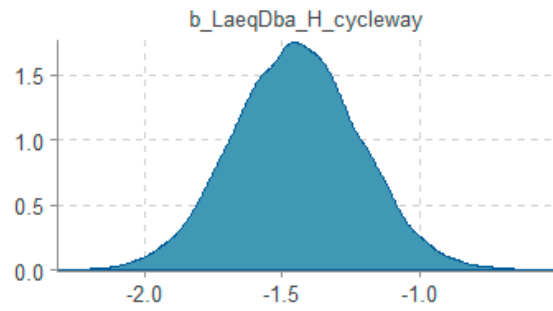
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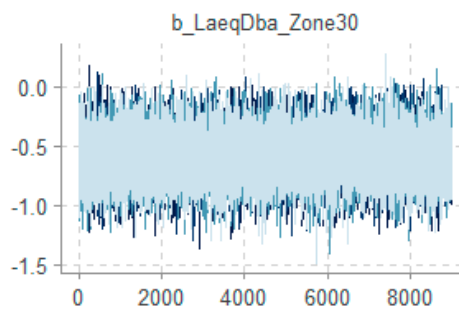
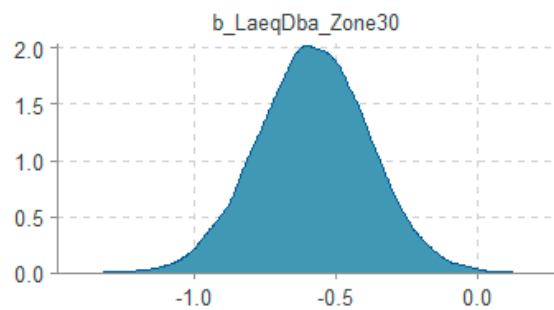
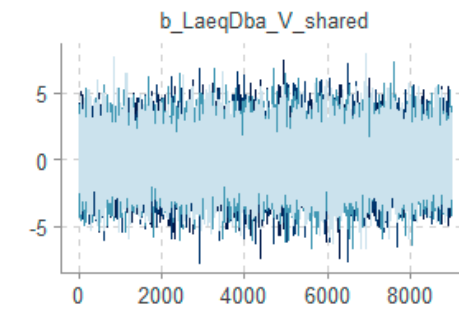
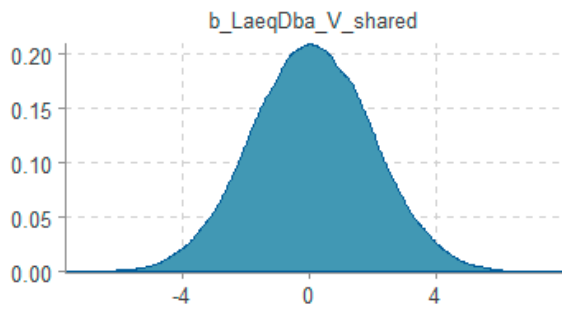
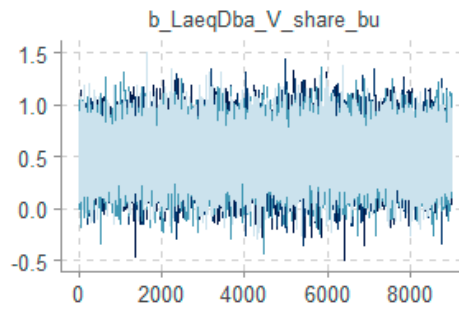
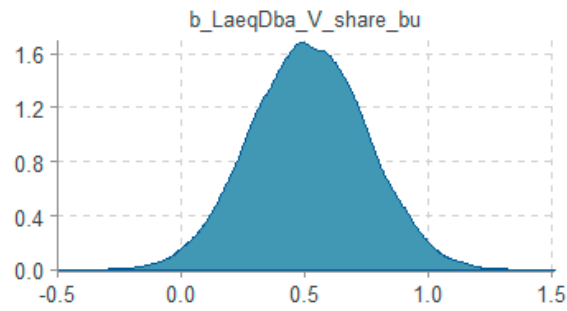
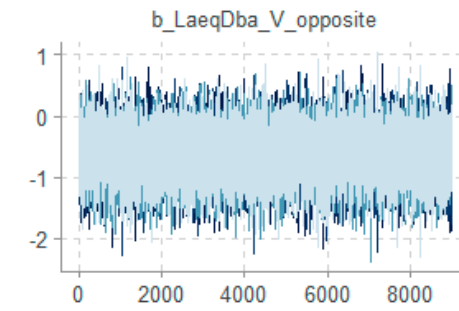
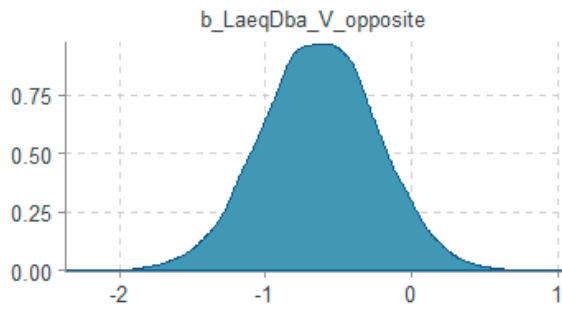
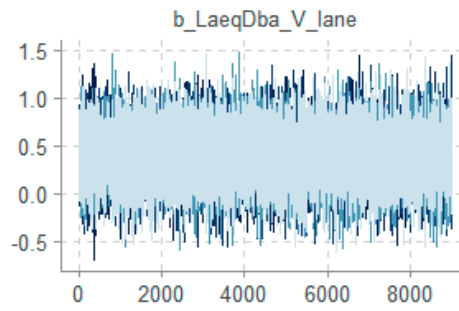
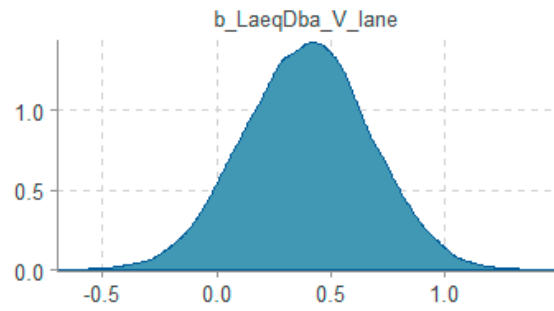




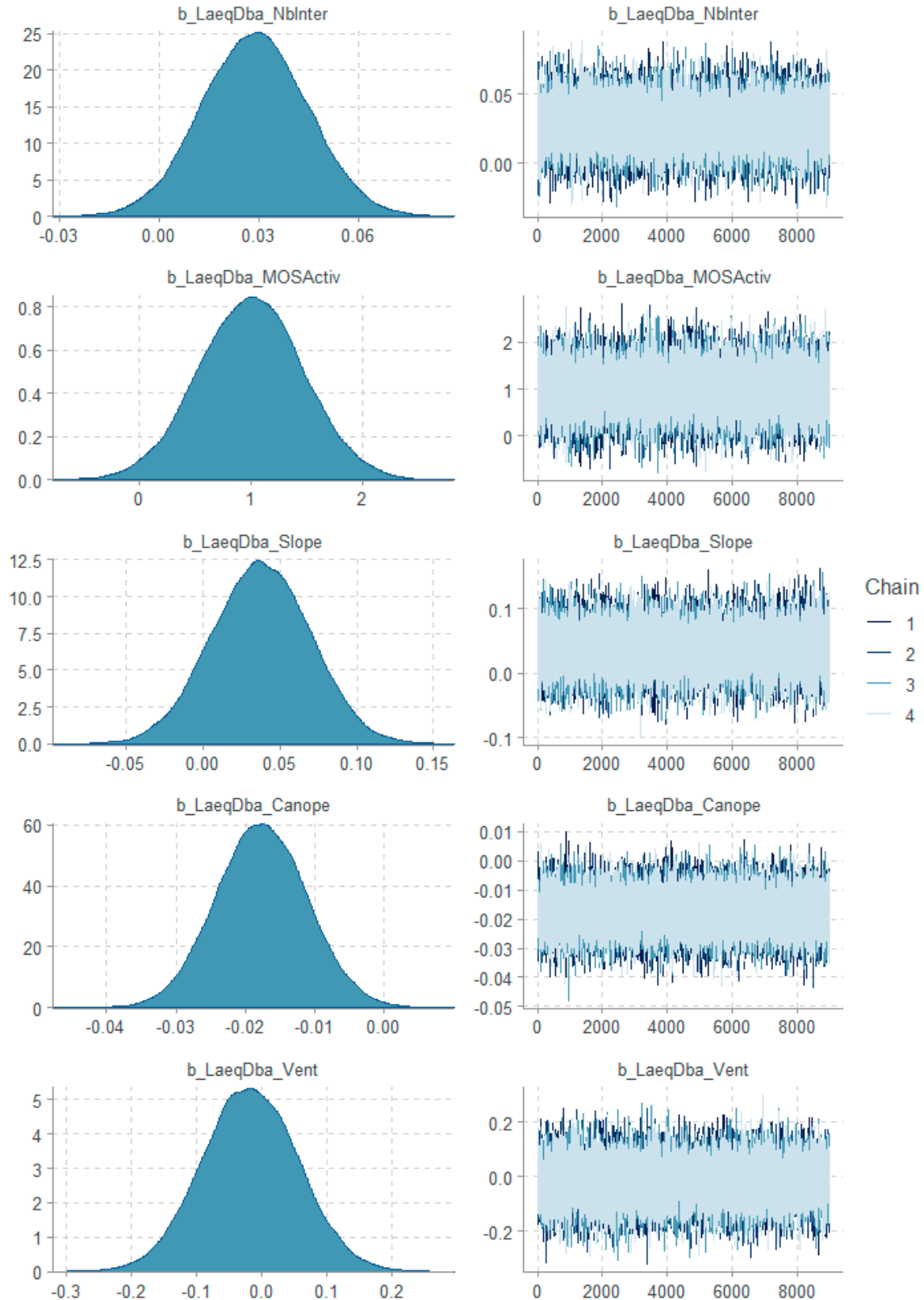


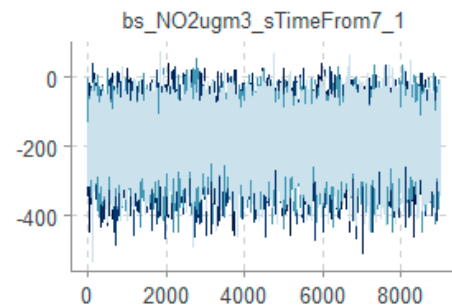
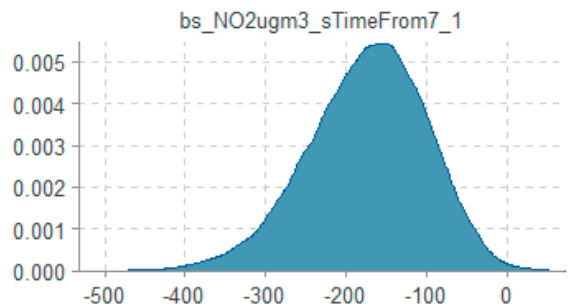
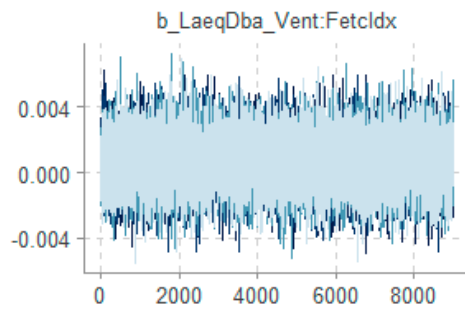
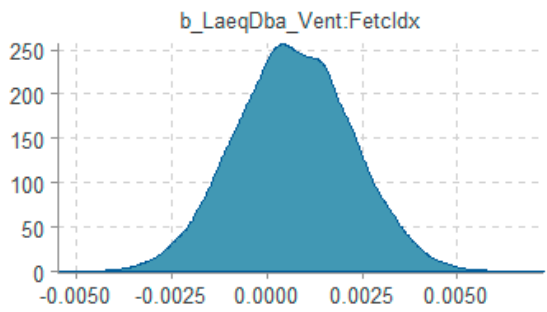
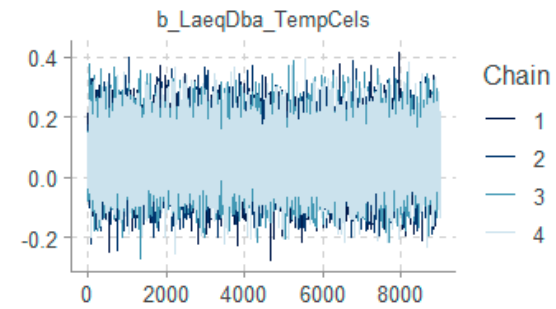
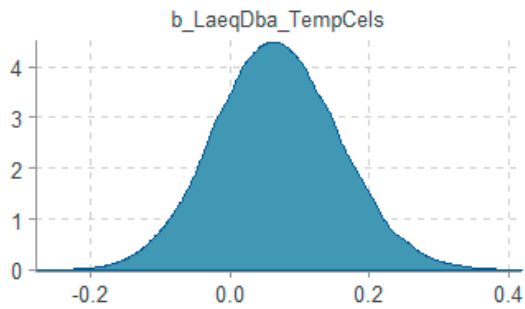
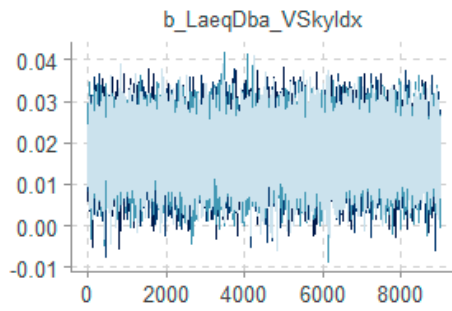
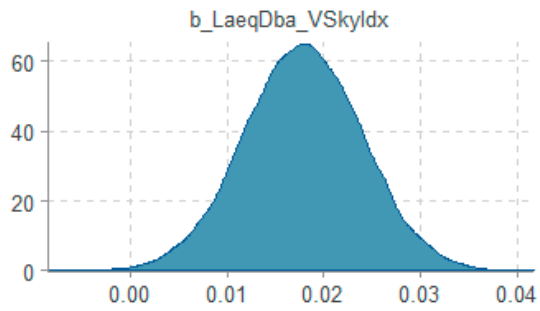
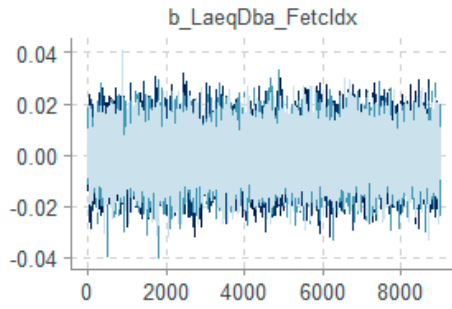
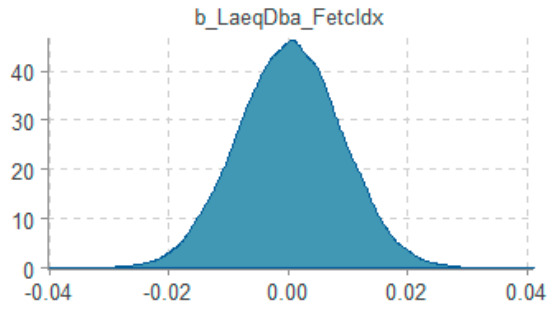
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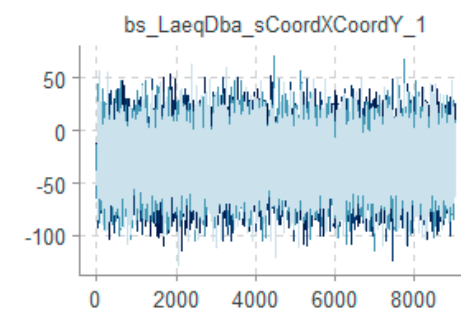
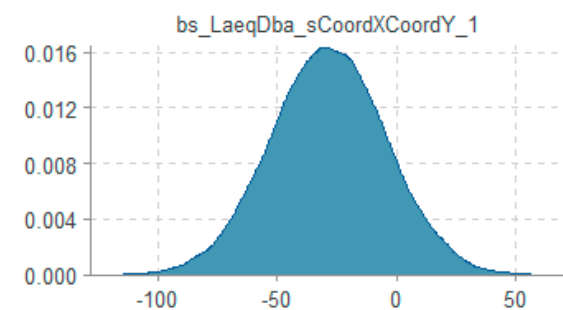
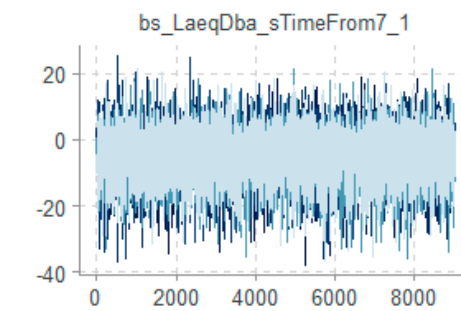
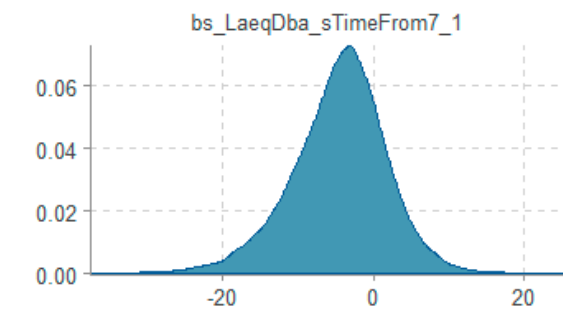
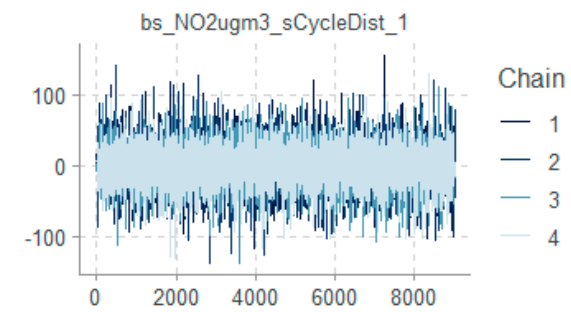
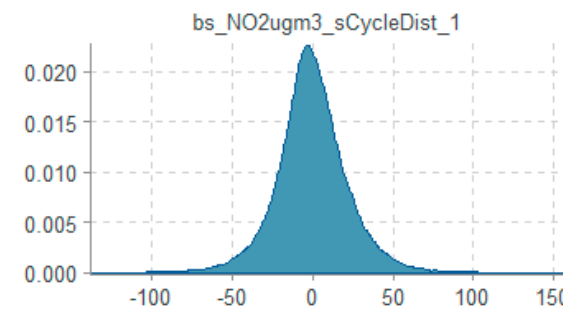
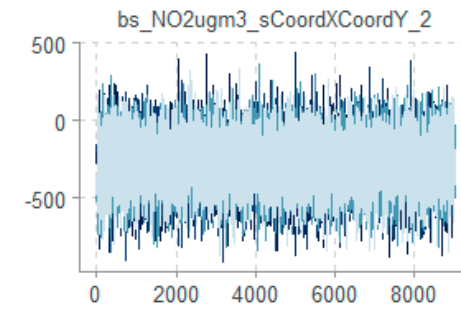
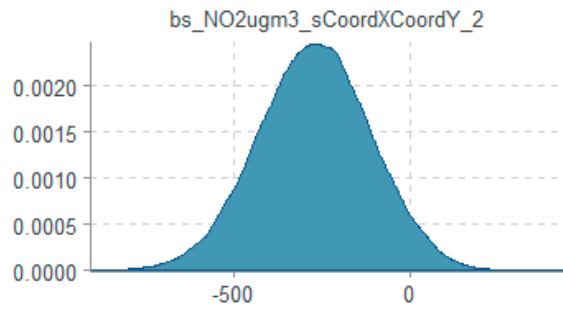
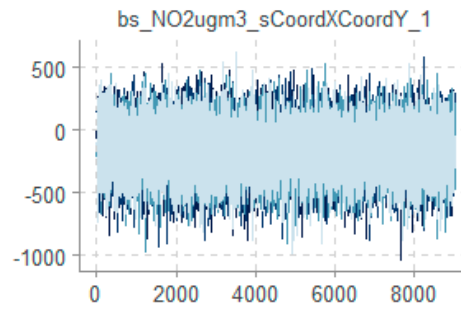
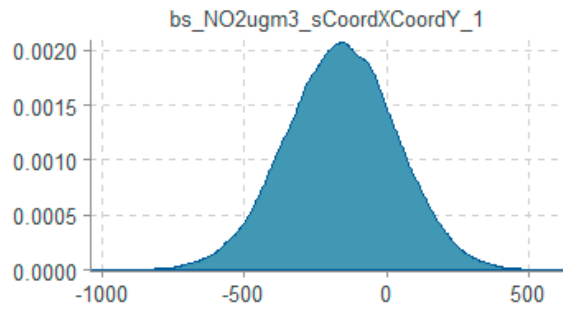


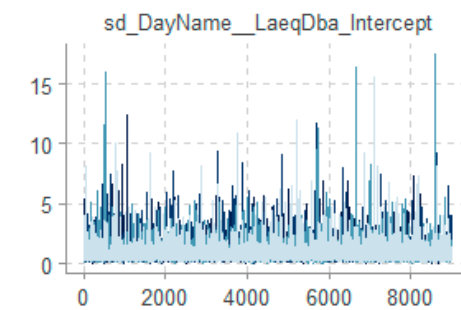
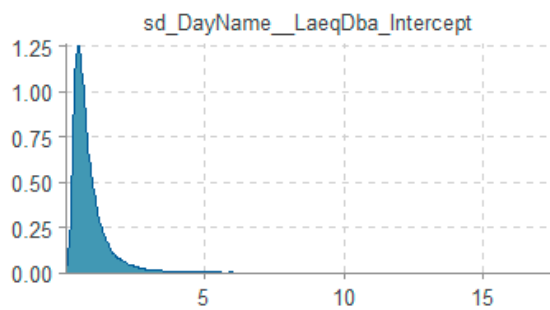
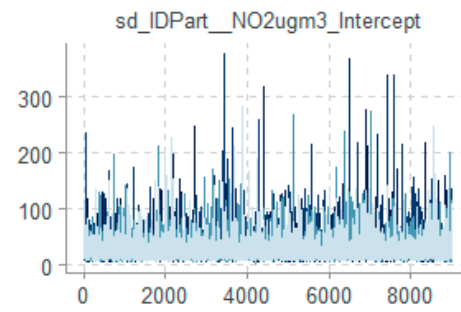
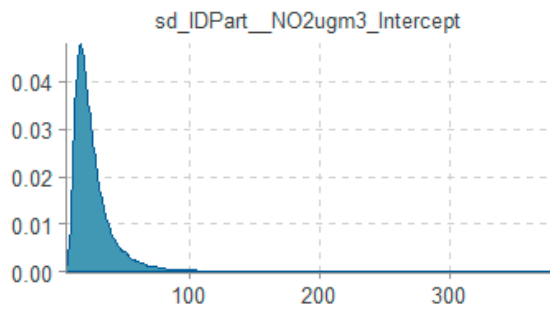
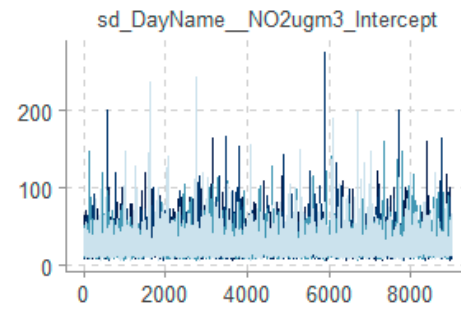
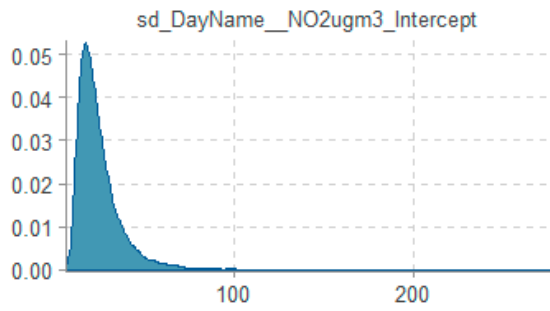
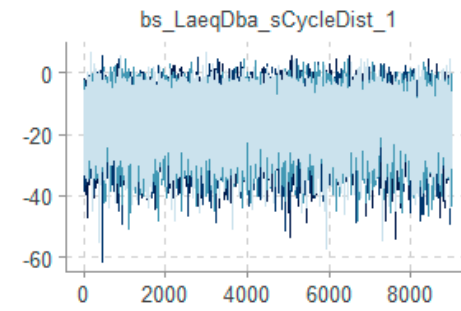
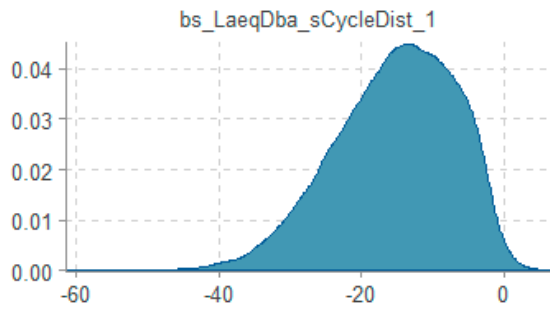
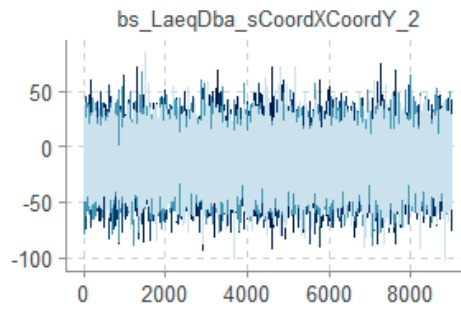
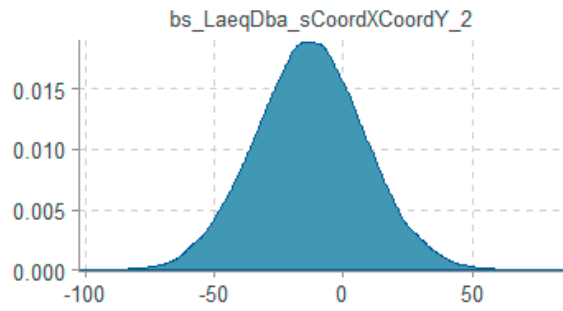


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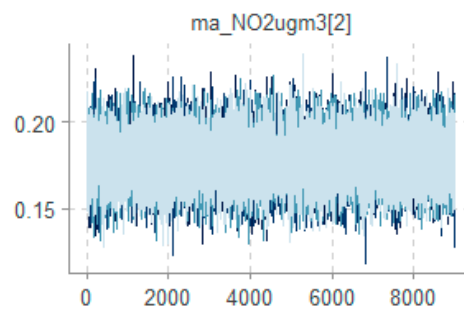
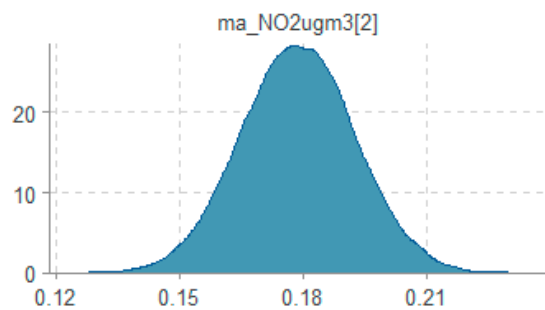
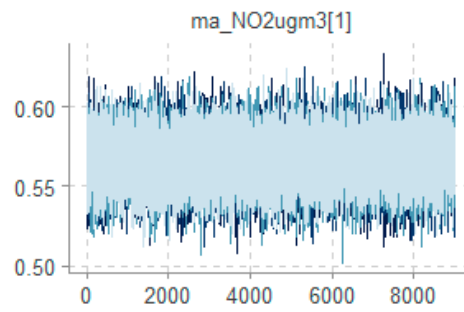
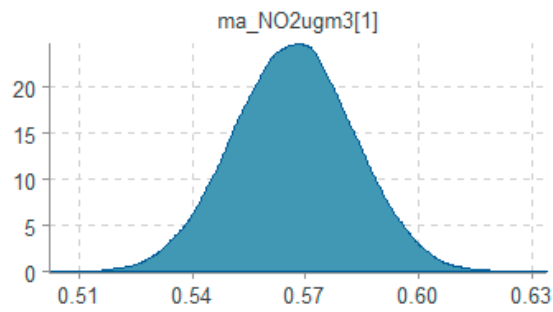
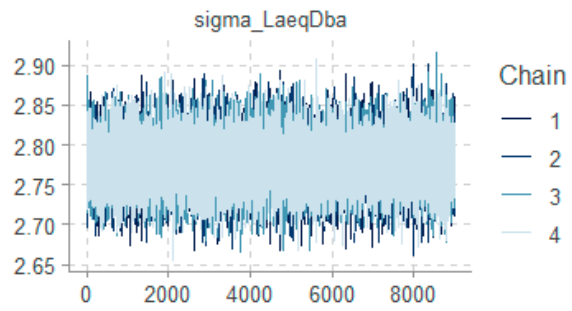
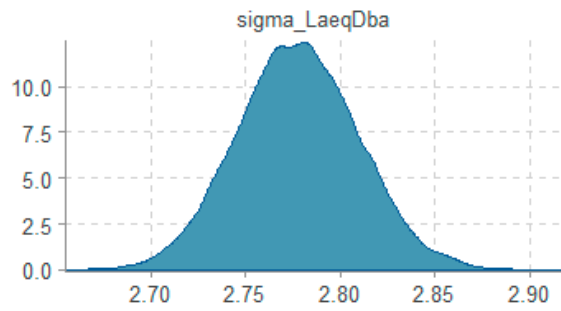
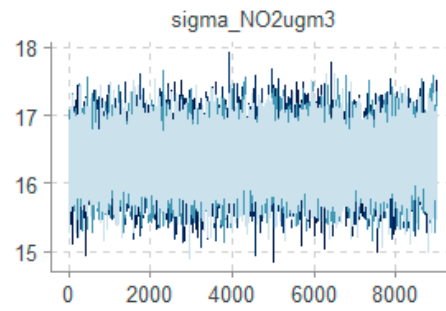
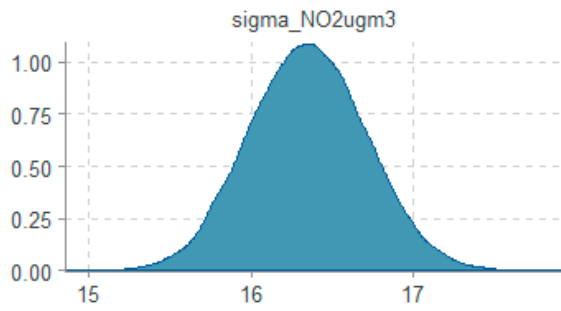
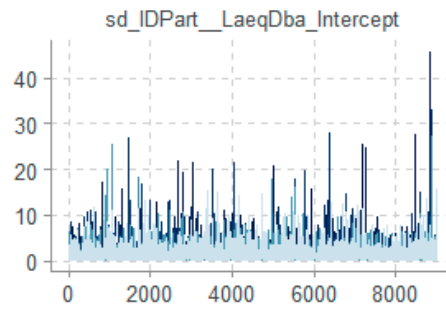
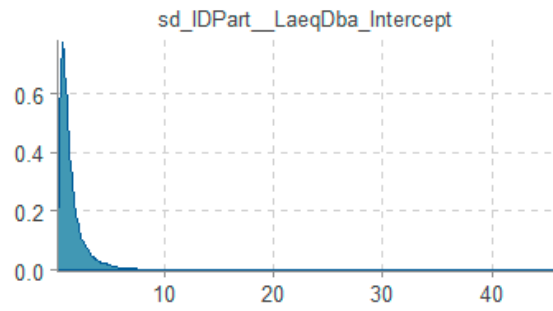


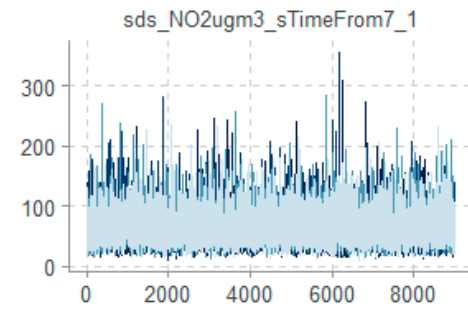
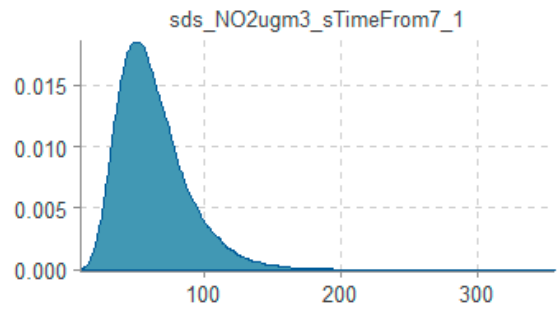
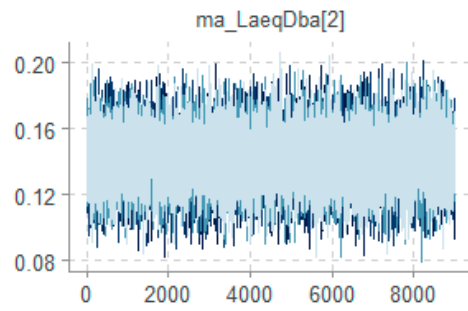
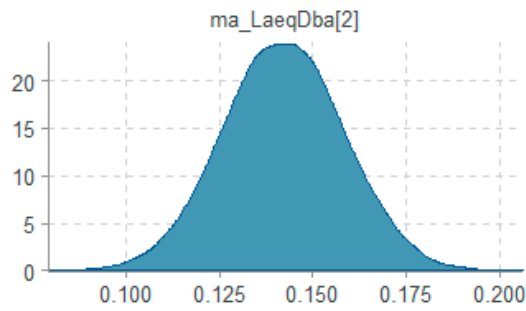
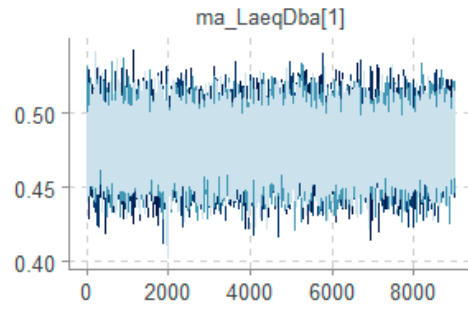
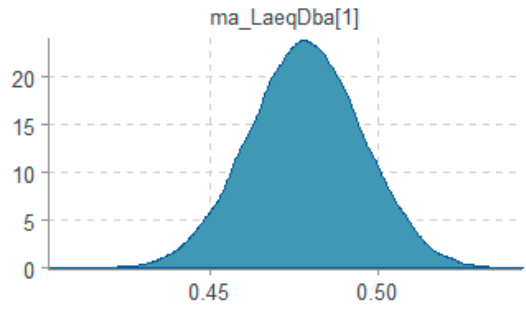




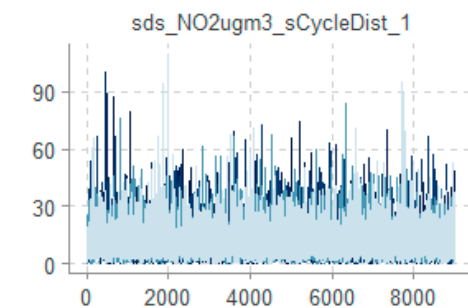
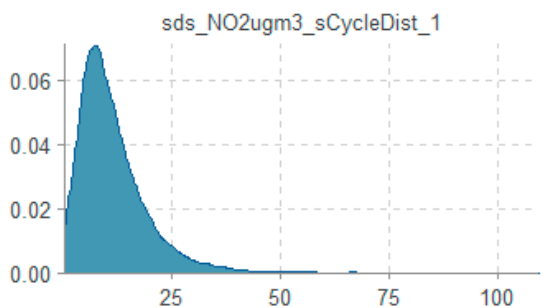
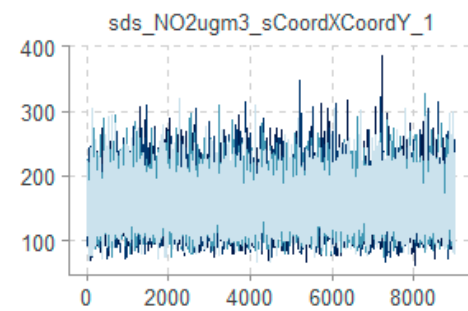
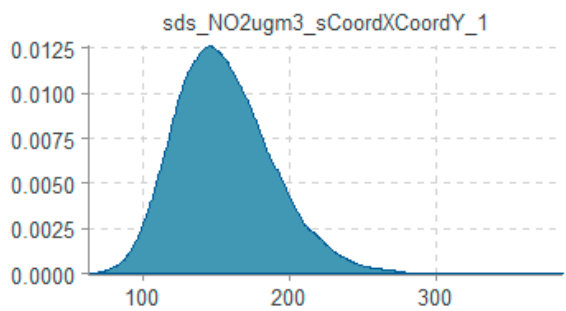


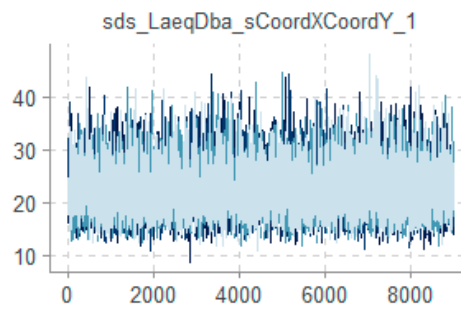
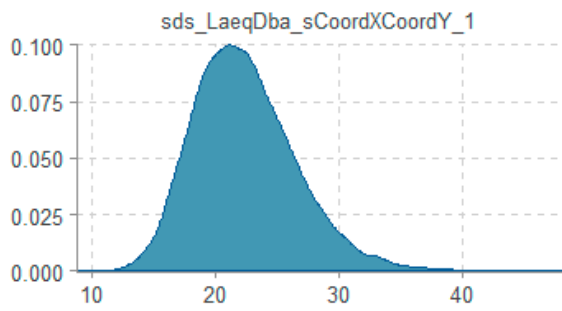
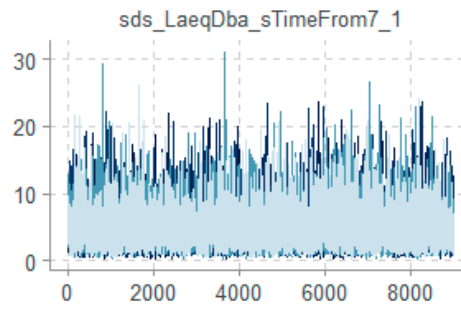
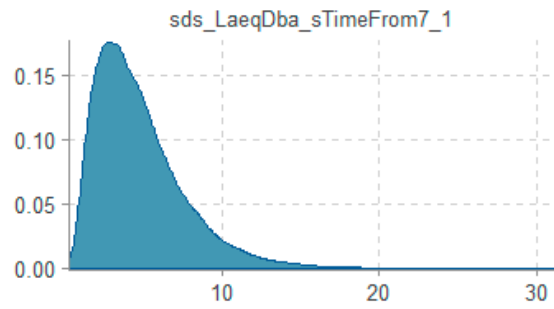
Chain  
— 1  
— 2  
— 3  
— 4



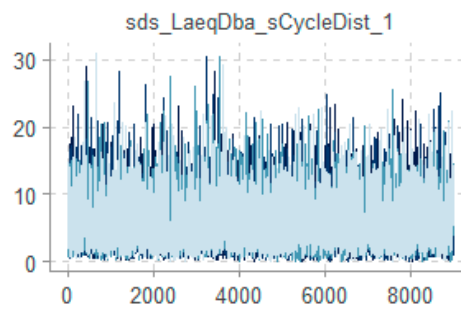
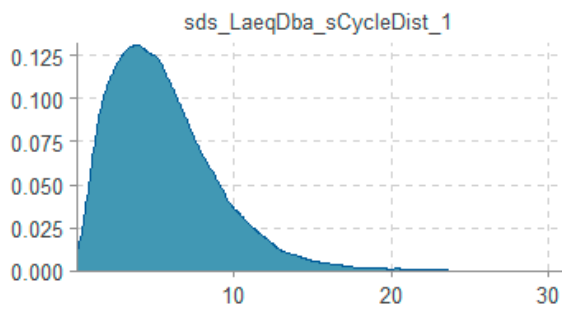


Chain  
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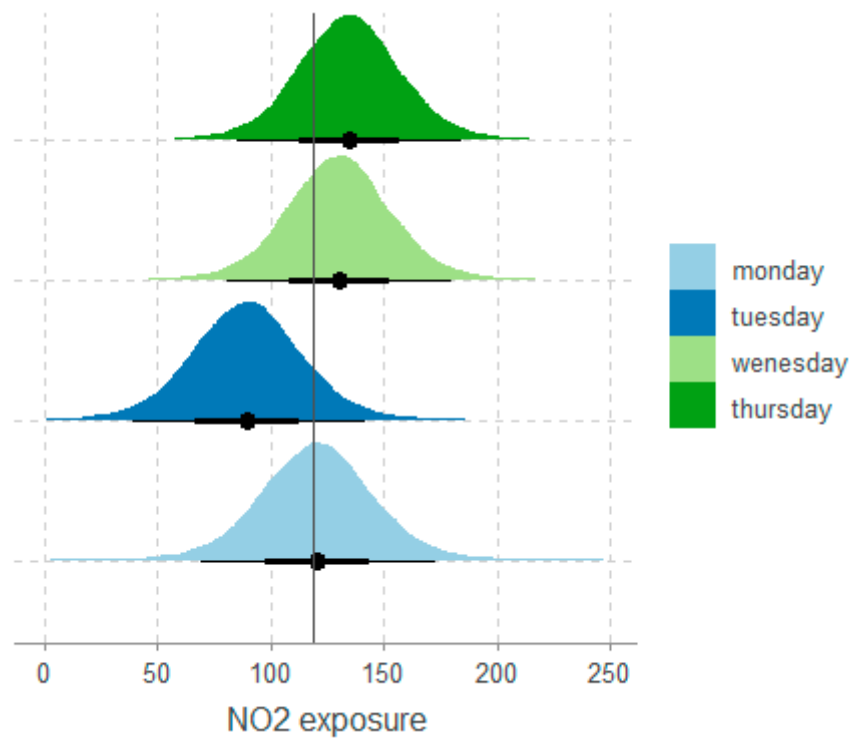
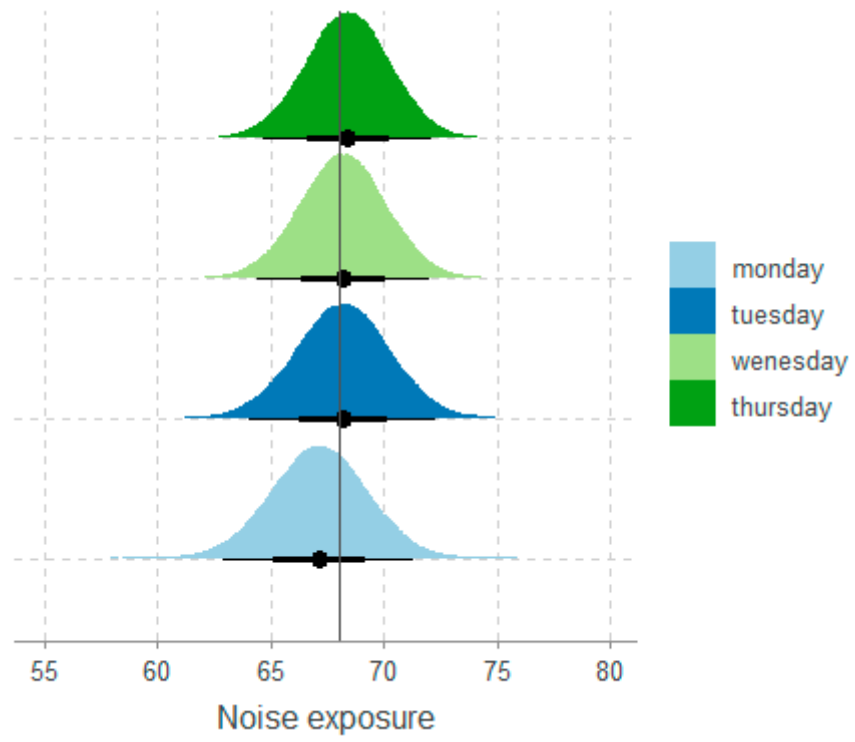


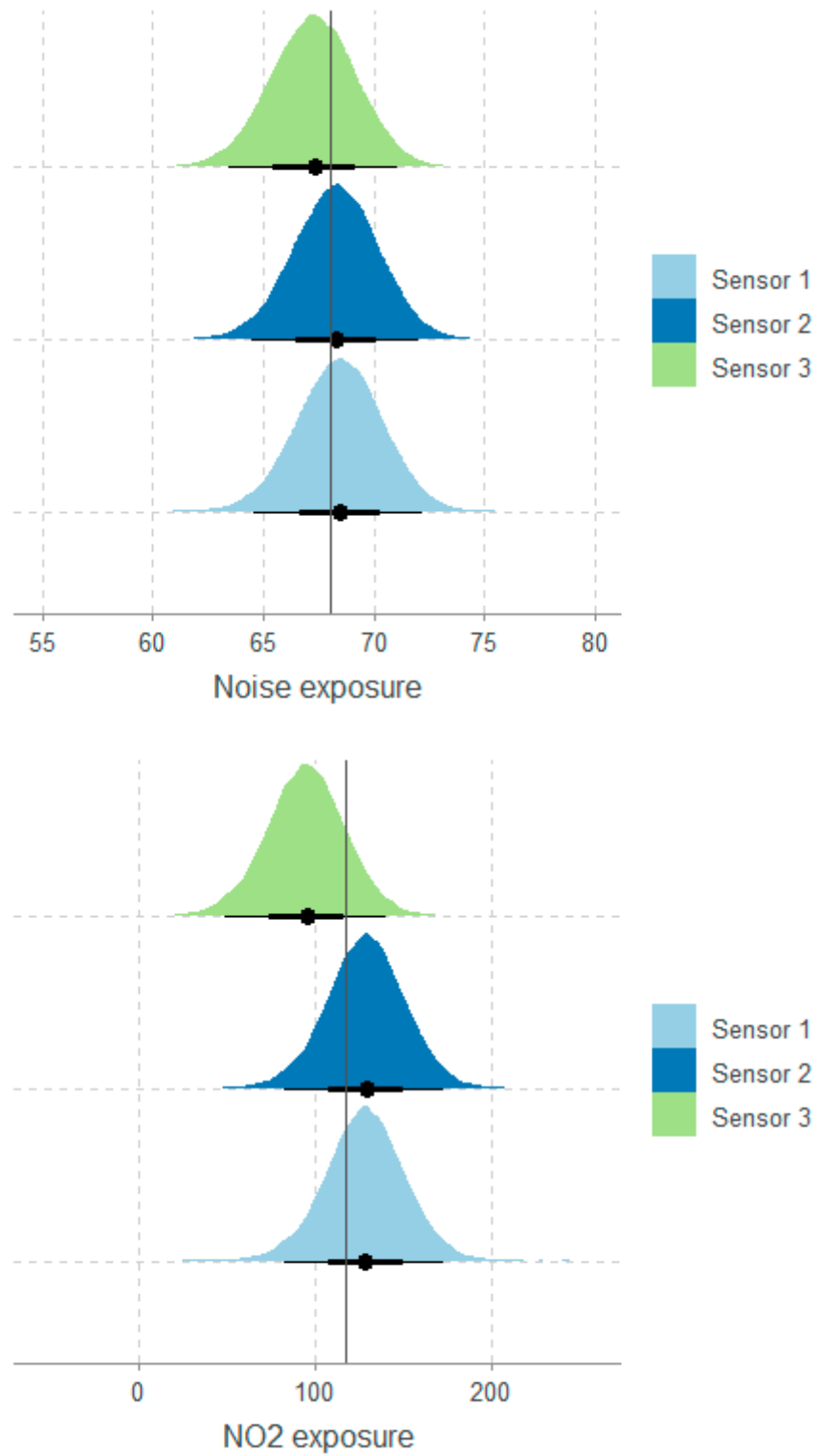


Chain  
— 1  
— 2  
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**Figure S2.** Posterior distributions of all parameters.

#### 4. Graphical Posterior Predictive Checks

The graphical posterior predictive checks for the two independent variables are presented in Figure S3.

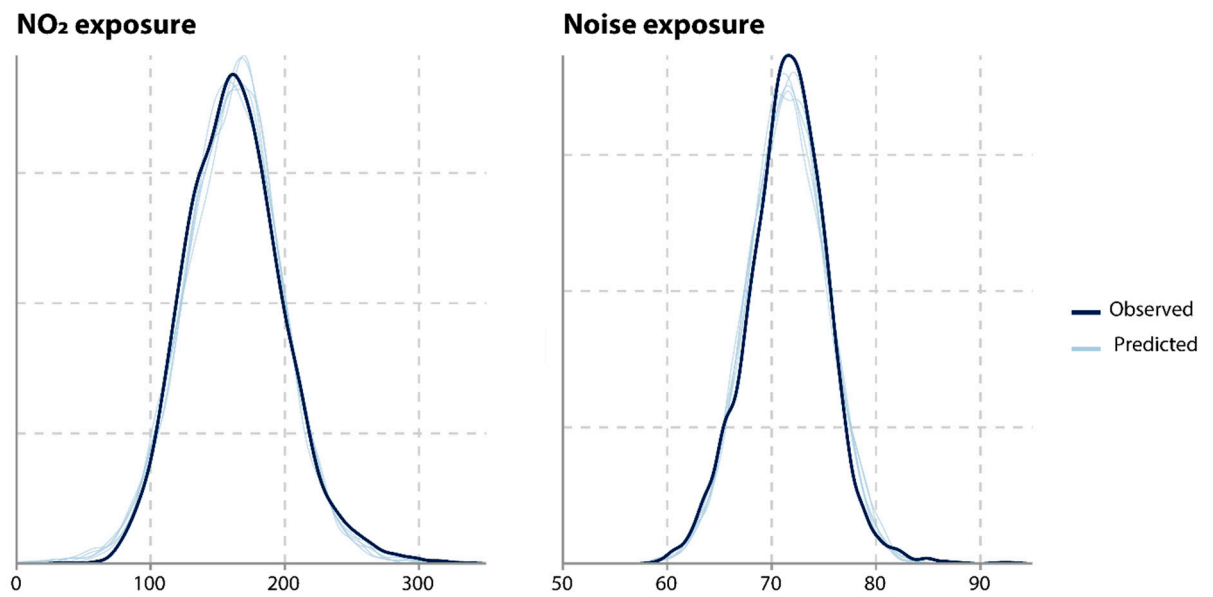


Figure S3. Graphical posterior predictive checks.

#### Reference

1. Gelman, A. Prior distributions for variance parameters in hierarchical models (comment on article by Browne and Draper). *Bayesian anal.*, 2006, 1(3), 515–534.



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